

**DEVELOPING A QUALITY-CONTROLLED POSTGLACIAL SEA-LEVEL  
DATABASE FOR COASTAL LOUISIANA TO ASSESS CONFLICTING  
HYPOTHESES OF GULF COAST SEA-LEVEL CHANGE**

A THESIS

SUBMITTED ON THE DECEMBER THIRD 2010

TO THE DEPARTMENT OF EARTH AND ENVIRONMENTAL SCIENCES

IN PARTIAL FULFILLMENT OF THE REQUIREMENTS

OF THE SCHOOL OF SCIENCE AND ENGINEERING

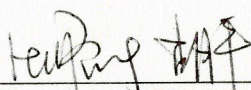
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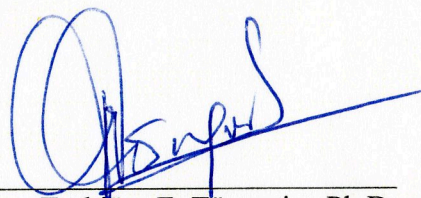
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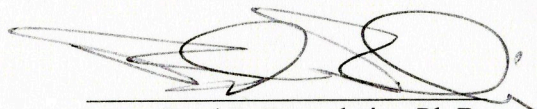


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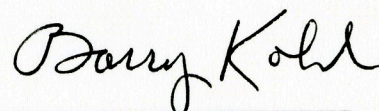
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## **Abstract**

A sea-level database following a new protocol of quality evaluation standards has been constructed and is used for a comparative analysis to reconcile conflicting hypotheses about Holocene relative sea-level change in the Gulf of Mexico.

Sea-level data are assessed quantitatively by assigning errors to both sample elevation and radiocarbon age. Sources of elevation uncertainty include sample thickness, indicative range, sampling errors, and surveying errors. Radiocarbon ages are corrected for bulk peat contamination, reservoir effects, and isotopic fractionation. Error calculations are performed as conservatively as possible. Furthermore, other variables such as sediment compaction are considered, in part relying on descriptive and semi-quantitative information that can prove useful for future studies. Overall, this database is valuable as a guideline for sea-level database standardization.

A relative sea-level database has been compiled for coastal Louisiana following the proposed protocol. Comparing relative sea-level records from the Mississippi Delta and the southwest Louisiana Chenier Plain reveals that local sea-level change in both areas exhibits the same trend. This result challenges a recent model used to reconcile the smooth trend of rising sea level in the Mississippi Delta with a mid-Holocene highstand elsewhere along the US Gulf Coast, which advocated cyclic uplift and subsidence of the Mississippi Delta caused by sediment excavation and filling of the Lower Mississippi Valley, respectively. Therefore, it is concluded that vertical crustal movements in coastal Louisiana (i.e., subsidence) are mainly controlled by glacio-isostasy, associated with the melting of the Laurentide Ice Sheet.

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## List of Symbols

$A_0$	Original (pre-disintegration) $^{14}\text{C}$ activity of a sample [Bq]
$A_{on}$	Normalized $^{14}\text{C}$ activity of a standard [Bq]
$A_s$	$^{14}\text{C}$ activity of a sample [Bq]
$A_{sn}$	Normalized $^{14}\text{C}$ activity of a sample [Bq]
$A_t$	$^{14}\text{C}$ activity of a sample at time $t$ [Bq]
$Age_c$	$^{14}\text{C}$ age after analytical, bulk, reservoir, and isotopic fractionation correction [ $^{14}\text{C}$ yr]
$D_a$	Apparent sample depth due to non-vertical drilling [m]
$D_t$	True sample depth [m]
$E_a$	Analytical error of $^{14}\text{C}$ measurement [ $^{14}\text{C}$ yr]
$E_b$	Bulk error of $^{14}\text{C}$ measurement [ $^{14}\text{C}$ yr]
$E_I$	Isotopic fractionation error for samples without evidence that isotopic fractionation correction has been performed [ $^{14}\text{C}$ yr]
$E_i$	Error of isotopic fractionation correction [ $^{14}\text{C}$ yr]
$E_{ir}$	Error of indicative range [m]
$E_{ls}$	Error of land surface surveying [m]
$E_{nv}$	Error of non-vertical drilling [m]
$E_r$	Reservoir error [ $^{14}\text{C}$ yr]
$E_s$	Error of sampling [m]
$E_{ta}$	Total age error [ $^{14}\text{C}$ yr]
$E_{te}$	Total elevation error [m]
$H_{ir}$	Indicative range [m]
$H_{RWL}$	Height of reference water level [m]
$H_{RSL}$	Height of relative sea level [m]
$H_s$	Sample elevation [m]
$N$	Number of remnant $^{14}\text{C}$ atoms
$N_0$	Number of original $^{14}\text{C}$ atoms before decay
$t$	Decay time or the $^{14}\text{C}$ age [ $^{14}\text{C}$ yr]
$t_m$	Measured $^{14}\text{C}$ age without correction [ $^{14}\text{C}$ yr]
$t_n$	Normalized $^{14}\text{C}$ age for isotopic fractionation [ $^{14}\text{C}$ yr]
$T$	Sample thickness [m]
$T_d$	Decompacted sample thickness [m]
$U_{te}$	Total elevation uncertainty [m]
$\Delta R$	Reservoir age correction [ $^{14}\text{C}$ yr]
$\Delta t_i$	Isotopic fractionation correction [ $^{14}\text{C}$ yr]
$\theta$	Borehole angle with respect to the vertical [degree (°)]
$\lambda$	Decay constant
$\sigma$	Standard deviation of $^{14}\text{C}$ measurement [ $^{14}\text{C}$ yr]



## **Chapter 1 Introduction**

### **1.1 Sea-Level Research History along the US Gulf Coast**

A large body of work has been carried out across the world since sea-level change drew the attention of geologists in the 1950s as part of the puzzle of paleoclimatology and paleoceanography. After the attempts to reconstruct a purely eustatic sea-level curve since the Last Glacial Maximum (LGM), sea-level researchers found that sea-level curves from different geographic areas are affected significantly by regional or local effects such as tectonic movements of the crust, compaction of sediments, isostatic uplift and subsidence in response to waning and waxing ice sheets, and so on. Therefore, it is difficult to distinguish the purely eustatic sea-level change from other factors. As a result, since the 1970s geologists have focused primarily on regional or local sea-level changes, rather than eustasy (Van de Plassche, 1986; Pirazzoli, 1991; Milne and Mitrovica, 2008).

The Gulf of Mexico is known as one of the earliest natural laboratories of sea-level research and continues to attract considerable interest today. Two main scenarios of Holocene sea-level change along the US Gulf Coast have been under debate for the past 50 years. One postulates that sea level continuously rose from about -10 m to the present level during the last 8000 years or so, based mainly on sea-level indicators from subsurface coastal strata (e.g., Gould and McFarlan, 1959; Curray, 1961; McFarlan, 1961; Coleman and Smith, 1964; Scholl and Stuiver, 1967; Nelson and Bray, 1970; Frazier,

1974). The alternative view advocates that sea level rose to as much as 2 m above the present level during the middle to late Holocene and then dropped to the present level, as inferred from elevated beach-ridge deposits (e.g., Behrens, 1966; Tanner et al., 1989; Stapor et al., 1991). Morton et al. (2000) and Blum et al. (2001) revitalized the mid-Holocene highstand hypothesis, using beach ridges with subtidal faunal assemblages to infer a relative sea-level (RSL) highstand of up to 1.95 m during 6800 – 4800 cal yr BP (Blum et al., 2001) and RSL fluctuations of  $\pm 1.5$  m from 5500 to 1200 cal yr BP (Morton et al., 2000). Törnqvist et al. (2004a) subsequently published a detailed RSL curve, using basal peat from the Mississippi Delta, to track sea-level change from 8000 to 3000 cal yr BP. They argued that RSL rise during this time interval followed a relatively smooth rising trend, without highstands. This RSL curve was then extended into the present by Törnqvist et al. (2006) and González and Törnqvist (2009) and used to argue that the Pleistocene substrate underneath the Mississippi Delta subsides at a rate of only a fraction of a millimeter per year. However, Blum et al. (2008) questioned this by proposing an “ups and downs” model of cyclic uplift and subsidence with a magnitude of at least 9 m along the paleovalley margins underneath the Mississippi Delta. They argued that this was caused by the excavation and filling of sediment in the Lower Mississippi Valley, with incision during the LGM followed by valley filling and delta construction during the Holocene sea-level rise. Resolving this long-standing debate is the initial motivation for this thesis.

## **1.2 Need for a Standardized Sea-Level Database**

The difficulty in reconciling the two hypotheses outlined above is partly due to the fact that the different patterns of RSL change are based on different types of sea-level indicators and their quality is often not rigorously assessed based on a uniform standard. Furthermore, many studies simply plot sea-level data points to construct a RSL curve without taking into account the elevation and age uncertainties introduced by sampling and other factors (e.g., sediment compaction, reservoir and isotopic fractionation effects) which could lead to different interpretations. Thus, before any comparative analysis is performed with different types of sea-level indicators from different locations, a standardized sea-level database is needed.

A long history exists of the construction of sea-level databases for specific geographic areas (e.g., Shennan, 1989; Shennan et al., 2000a; Shennan and Horton, 2002; Shennan et al., 2002; Simms et al., 2007; Engelhart, 2010). In these studies, the age error is typically the analytical error reported by the radiocarbon dating laboratory; the elevation error is the sum of a variety of errors such as those associated with field leveling, tide levels, and the indicative range (Shennan et al., 2000a; Shennan and Horton, 2002). These studies have established the foundation for constructing standardized sea-level databases on which this thesis builds. However, additional sources of error need to be examined to make different types of sea-level indicators comparable to each other.

### **1.3 Objectives**

This thesis aims to establish a quality-assessed Holocene sea-level database for coastal Louisiana by reevaluating published data and quantifying all potential errors as cautiously as possible for both elevation and age. This database will then be used to test the two competing hypotheses of RSL change along the Gulf Coast during the Holocene. In other words, the new sea-level database will be used to determine whether sea level has been continuously rising to the present level or whether there were one or more sea-level highstands.

## **Chapter 2 Database Protocol**

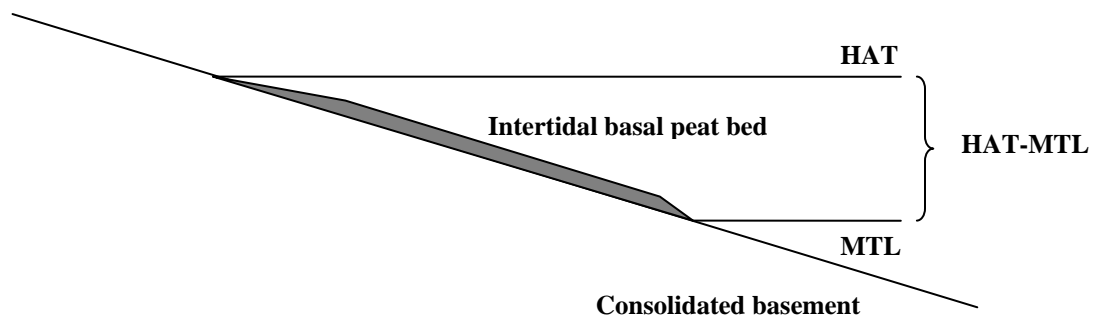
Sea-level data used to reconstruct Holocene RSL change in coastal Louisiana are assessed quantitatively by assigning errors to their elevation and age, as well as tabulating other relevant information such as the location of sampling sites, the nature of radiocarbon dated material, the stratigraphic context, and so on, as derived from published studies. This chapter lays out a detailed protocol for sea-level database construction in coastal Louisiana and elsewhere.

### **2.1 Sea-Level Index Points and Limiting Data Points**

Age-depth data that are used in sea-level reconstructions include sea-level index points and limiting data points, based on whether or not they have a well constrained indicative meaning with respect to a tide level.

#### **2.1.1. Sea-Level Index Points**

Sea-level index points have a well-defined indicative meaning which includes the relationship of the sea-level indicator to a tide level plus an indicative range. The indicative meaning is defined by Van de Plassche (1986) as “expressed in terms of the indicator, or a relevant or convenient aspect thereof, and a vertical range with respect to that indicator or aspect, above, below or within which the reference water level occurs or occurred given the water-level relationship of the indicator”. The vertical range is



**Figure 1. Illustration of the indicative meaning of intertidal basal peat that formed above mean tide level (MTL) and below the highest astronomical tide (HAT). Past mean sea level should be within the interval of the half tidal range as measured below the basal-peat sample. Two end members can be distinguished, where either the basal peat formed exactly at MTL and its elevation represents the past mean sea level or the past mean sea level was at an elevation of a half tidal range below the basal peat if the basal peat formed at HAT.**

referred to as the indicative range (Van de Plassche, 1986). Examples of sea-level indicators include intertidal marsh peat and plant macrofossils and/or charcoal fragments within it. This intertidal peat formed anywhere between mean sea level (MSL, approximated by the closely related mean tide level, MTL) and the spring high tide level (represented by the level of the highest astronomical tide, HAT) (Engelhart, 2010) (Fig. 1). Accordingly, the past mean sea level suggested by this type of sea-level indicator can be located within the half tidal range below the elevation of the peat sample. Unlike the classification of coastal peat deposits along the US Atlantic Coast into several categories (e.g., high marsh versus low marsh; Engelhart, 2010), peat along the US Gulf Coast is classified into intertidal peat and freshwater peat associated with the smaller tidal range. These two categories then are used as index points and upper limiting data, respectively.

### **2.1.2. Limiting Data Points**

Limiting data points do not have a specific indicative range relative to a reference water level. However, they can still provide useful information about past sea level, and define its upper or lower limit with respect to a specific reference water level. There are two types of limiting data points in the present sea-level database. Compaction-free freshwater peat in coastal areas is thought to have formed above the mean tide level. Therefore, it can serve as an upper limiting data point, indicating that past sea level must have occurred at the same or a lower level. In contrast, *in situ* marine mollusk shells can be used as lower limiting data points indicating that past mean sea level was somewhere at or above the elevation of their occurrence, provided that they live below the mean tide

**Table 1. Mollusks from the central US Gulf Coast that are used in the sea-level database. Mollusk habitats, environmental information, and depth ranges are from Parker (1960), Andrews (1971), and B. Kohl (personal communication, 2010). Depth is with respect to the water surface, which is assumed to be mean sea level.**

Class	Habitat	Taxon	Environment	Depth –min (m)	Depth – max (m)
Bivalve	Epifaunal	<i>Crassostrea virginica</i>	Brackish bays and estuaries	0	
		<i>Ostrea equestris</i>	High-salinity oyster reef	0	
		<i>Echinochama cornuta</i>		18	110
		<i>Plicatula gibbosa</i>			
		<i>Chama congregata</i>			
		<i>Aequipecten gibbus</i>	Intermediate shelf	22	64
		<i>Pecten</i> sp.	Intermediate to outer shelf	22	
		Epifaunal byssate fissure dweller	<i>Lima scabra</i>	Offshore	
		Other	<i>Arca</i> sp.		
	Infaunal	<i>Rangia cuneata</i>	River-influenced areas	0	
		<i>Mulinia lateralis</i>	Prodelta slope	4	20
		<i>Abra aequalis</i>	Open sound, lagoon centers, near shore in clayey sediments		
		<i>Phacoides</i> sp.	Open-bay margins and hypersaline lagoons		
		<i>Mercenaria</i>	Off shore, open bay and inlet-influenced areas		
		<i>Diplodonta</i>	Inlet-influenced areas		
		<i>Crassinella</i> sp.	Inlet-influenced areas and channels on shelly bottom		
		<i>Anadara transversa</i>	Inlet-influenced areas and offshore	0	11
		<i>Corbula swiftiana</i>	Inlet-influenced areas, open-bay margins		
		<i>Tellina</i>	Inner shelf to intermediate shelf on sand bottom	4	64
		<i>Dinocardium robustum</i>	Inner shelf, close to the shore and in inlet-influenced areas	4	22
		<i>Chione intapurpurea</i>	Inner shelf, near shore	4	22
		<i>Dosinia</i>	Inner shelf, near shore		
		<i>Varicorbula operculata</i>	Off shore to intermediate shelf, mud bottom	37	73
		<i>Nuculana</i> sp.	Sandy mud bottom beyond low tide		
	Gastropod	<i>Busycon</i> sp.	Brackish bays and estuaries	4	22
		<i>Strombus</i> sp.	Intertidal to about 10 fathoms	0	18



level. Both index points and limiting data points are useful only if it can be demonstrated that the samples have not been reworked and redeposited.

Table 1 lists mollusk genera (and species, if applicable) used as sea-level limiting data points in the sea-level database. It also lists the habitat information (i.e., living environment and depth range of occurrence) of these mollusks. The depth range may vary under different conditions controlled by factors such as water temperature, river discharge, turbidity, and so on (Parker, 1960). Due to this, depth ranges listed in this table are not reliable to serve as the indicative range. However, the more habitat information is known for each taxon, the more their depth range can be constrained and hence the more qualified the mollusks are to serve as “semi-index points” or, in the ideal case, as index points. Thus, as more information on modern mollusk distributions becomes available, this table can be updated and become more useful (B. Kohl, personal communication, 2010).

## **2.2 Geographic Location**

The geographic location of all sea-level index points and limiting points in the database are converted from their original formats to decimal degrees of latitude/longitude. There are five types of original formats for location in this database: 1) latitude/longitude - decimal degrees; 2) latitude/longitude - degrees/minutes/seconds; 3) Universal Transverse Mercator (UTM) coordinates - Zone, North/East; 4) US Public Land Service (PLS) coordinates -Township/Range/Section (/Quadrant); and 5) descriptive locations. In

the converted format, decimals represent different levels of resolution of a location: 4, 3, 2, 1, and 0 decimals indicate a sampling site can be located within 10 m, 100 m, 1 km, 10 km, and 100 km, respectively, along latitudinal and longitudinal directions. No location resolution greater than 4 decimals is used in this database. The number of decimals in the final format is determined by the resolution, as provided by the original data source. In this sea-level database, all coordinates use the North and the East as default quadrants (following the protocol of Engelhart, 2010), thus west longitudes are converted to negative values. No conversion is needed when the original format is in decimal degrees. The original format of degree/minute/second is converted to decimal degrees by converting minutes and seconds to decimal degrees arithmetically. Conversion processes for the other three formats are clarified below in more detail.

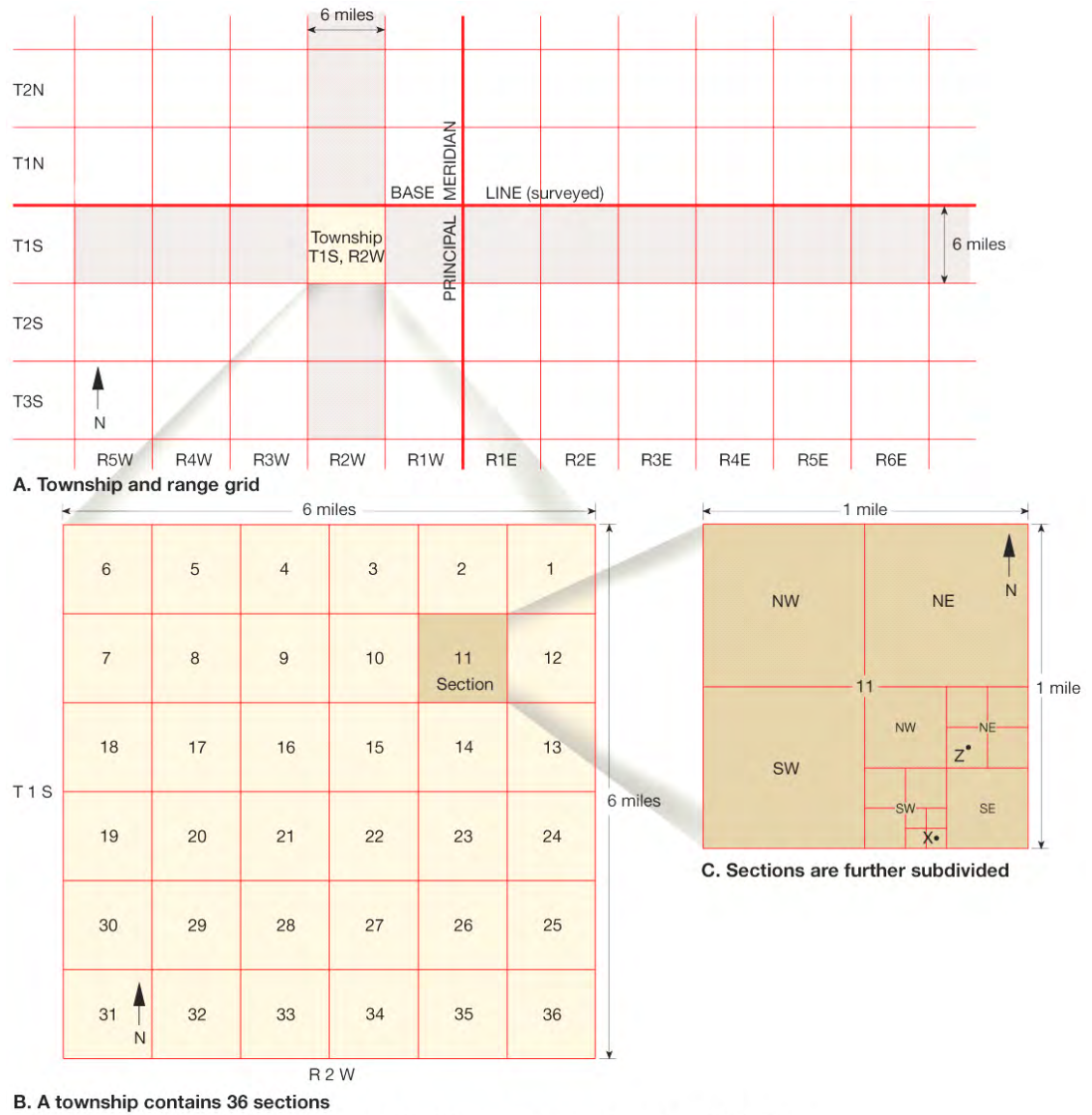
The outdoor mapping program TOPO! 4.2 released by National Geographic was used to locate and convert UTM coordinates to decimal latitude/longitude degrees. This was done by plotting sampling sites on the TOPO! 4.2 map document using UTM coordinates and then choose the display format of location as geographic coordinates, i.e., latitude/longitude. For example, a series of sampling sites are plotted on a TOPO map document in Fig. 2A in the format of UTM coordinates using geodetic datum NAD 27. The displaying format of the same locations is converted to decimal degrees using geodetic datum NAD 83 in Fig. 2B.



Figure 2A. Location input in the format of UTM coordinates related to geodetic datum NAD 27; and B. Locations displayed in the format of decimal degrees related to geodetic datum NAD 83. Conversions are carried out with the “preference and settings” tool in TOPO! 4.2.

Most US states are covered by the PLS system that was introduced in the late 1700s. Exceptions include the original thirteen states, some areas in the southwestern US where land surveys may be based on Spanish land grants, and areas which were never surveyed (Higgins et al., 2009). As illustrated in Fig. 3, establishment of the PLS scheme in each state was started by surveying base lines, similar to latitudes, and principal meridians, similar to longitudes. Additional lines were then surveyed parallel to these and 6 miles apart in order to create grids of 6 mi  $\times$  6 mi. Rows parallel to the base line are called townships and columns parallel to the principal meridian are called ranges. Townships and ranges are labeled with number and direction relative to the base line and the principal meridian, respectively (e.g., Township 1 North, Township 2 South, Range 1 East, Range 2 West). Each township/range square is divided into 36 small (1 mi  $\times$  1 mi) sections, beginning from the upper right corner. Each section is divided into four quadrants (NE, SE, SW, and NW) and each quadrant can be subdivided into four quadrants which can be further subdivided. For example, point X in Fig. 3 is in the southeastern quadrant of the southeastern quadrant of the southwestern quadrant of the southeastern quadrant of section 11 in the square of Township 1 South and Range 2 West, which is expressed as SE1/4SE1/4SW1/4SE1/4 sec.11, T1S, R2W. The resolution of point X's location is as good as 100 m. Thus, its longitude and latitude are rounded to the third decimal.

Locations of sea-level data published during the 1950s and 1960s (e.g., Kulp et al., 1952; Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961)



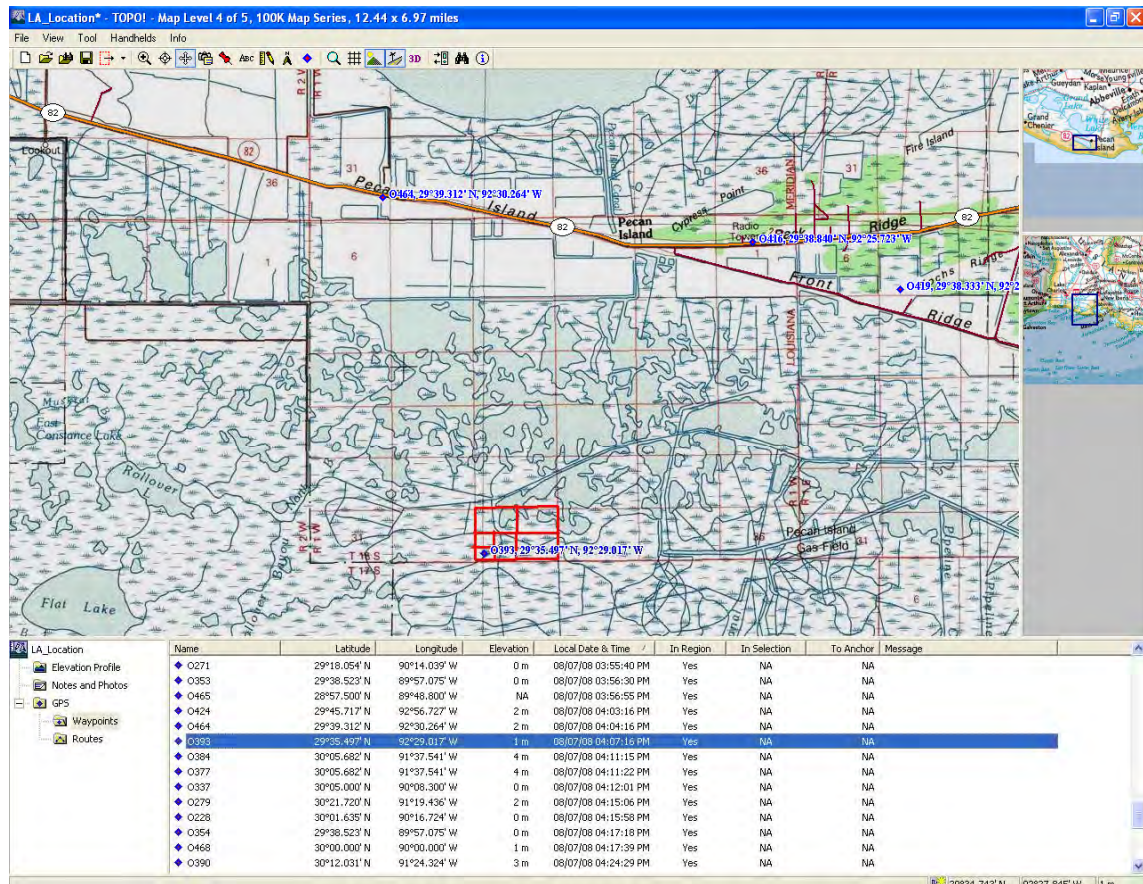
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**Figure 3. Illustration of the Public Land Service coordinate system (Higgins et al., 2009).**

use PLS coordinates. Conversions are performed as follows. First, locations are found on topographic maps which include the PLS coordinate system (TOPO! 4.2) based on their PLS coordinates. Second, the “Waypoint Tool” is used to mark the location on the map and a name can be given to this point (I use laboratory code if available, otherwise the sample name). Location information is then displayed in the information sheet below the map, with latitudes and longitudes in the format of degrees/minutes. Decimal degrees are then obtained from the arithmetic conversion discussed above. For example, the original location of sample O-393 (McFarlan, 1961) was SW1/4, SW1/4, sec. 33, T11S, R1W. After it was found and marked by the “Waypoint Tool”, the latitude and longitude of this location was displayed as 29°35.497’ N and 92°29.017’ W. The final converted location is 29.592° N, -92.484° E with 3 decimals because it can be located within a 400 m × 400 m square (Fig. 4).

Descriptive locations only provide general names of a study area. Sample sites can be roughly located based on the study area’s name, using the “Place Finder Tool” in TOPO! 4.2. However, the resolution of the corrected latitude/longitude of locations can only be rounded to 1 or 0 decimals because areas found by names usually have a resolution of 10 to 100 km only. For example, a sampling site reported in Coleman and Smith (1964) is given as “Pecan Island, Louisiana”. After inputting this name, TOPO! 4.2 returned two results of different types of information matching the query (Fig. 5). By double clicking either of the results, the software highlights the location on the map. Marking the location using “Waypoint Tool” and proceeding with the arithmetic conversion provides decimal





**Figure 4. Locating sea-level data using the PLS coordinates on topographic maps and the Waypoint Tool in TOPO! 4.2.**

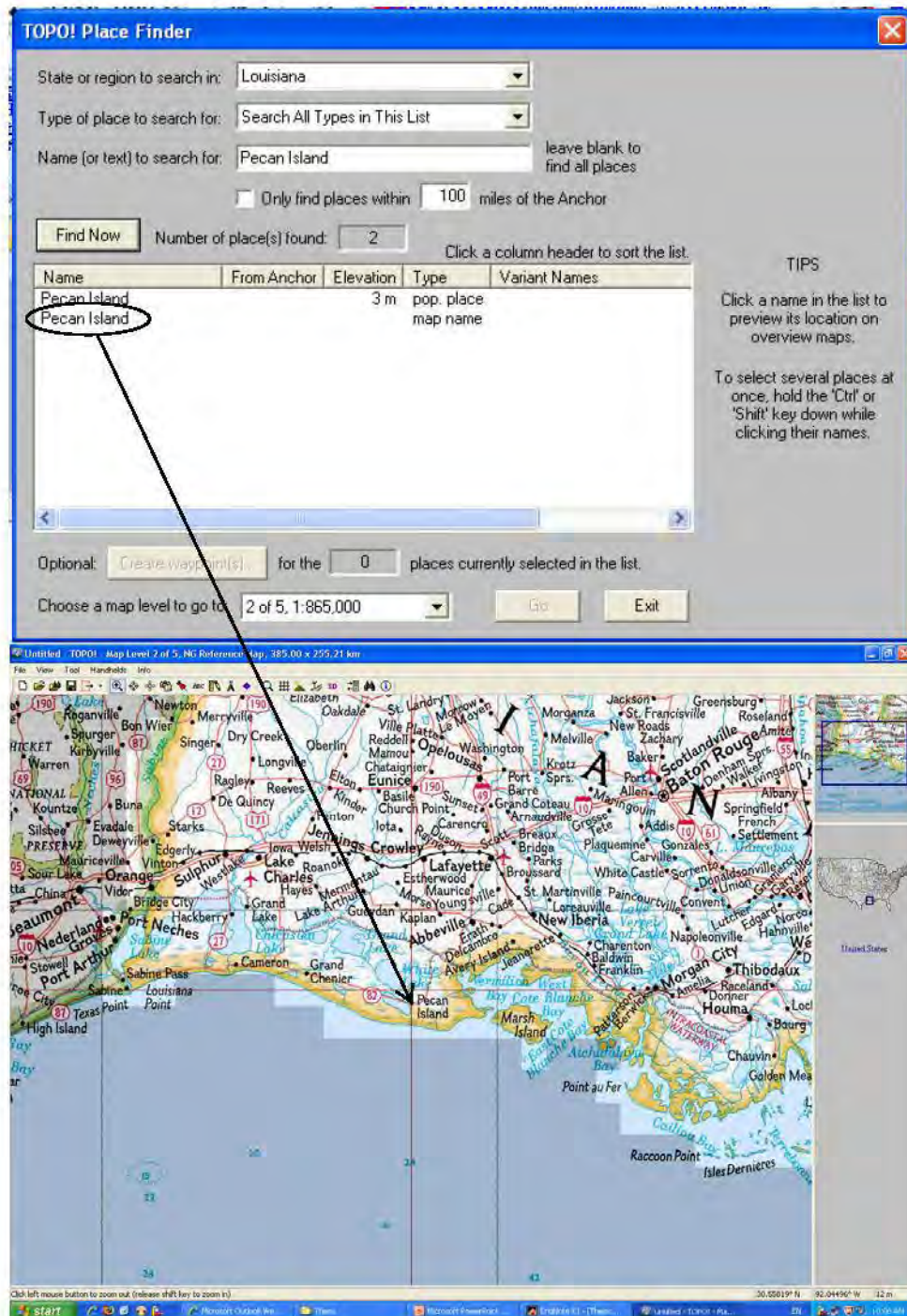


Figure 5. Locating study area by name of the area using Place Finder Tool in TOPO! 4.2.



degrees of latitude/longitude of 29.5° N, -92.5° E, rounded to 1 decimal, given that the resolution in this case is about 10 km.

### 2.3 Elevation Uncertainty

The total elevation uncertainty in this study comprises sample thickness and a variety of errors arising from the indicative meaning of sea-level indicators, sampling and land surface surveying, among others (Fig. 6), expressed as the equation

$$U_{te} = T + 2 \cdot E_{te} \quad [1]$$

in which  $U_{te}$  is total elevation uncertainty;  $T$  is the sample thickness (note that this may involve a decompaction correction, as discussed in section 2.4); and  $E_{te}$  is the total elevation error, expressed as

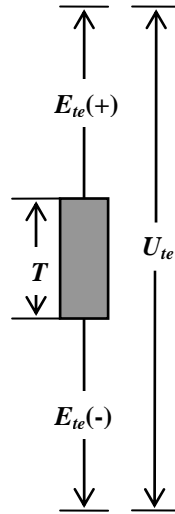
$$E_{te} = \sqrt{E_{ir}^2 + E_s^2 + E_{nv}^2 + E_{ls}^2} \quad [2]$$

in which  $E_{ir}$ ,  $E_s$ ,  $E_{nv}$  and  $E_{ls}$  represent indicative range error, sampling error, non-vertical drilling error, and land surface surveying error, respectively. For example, a peat sample that has  $T = 2$  cm,  $E_{ir} = \pm 15$  cm,  $E_s = \pm 10$  cm,  $E_{nv} = \pm 2$  cm and  $E_{ls} = \pm 10$  cm, yields

$$E_{te} = \sqrt{(\pm 15)^2 + (\pm 10)^2 + (\pm 2)^2 + (\pm 10)^2} = 20.71 \text{ cm}$$

and

$$U_{te} = 2 + 2 \times 20.71 = 43.42 \text{ cm}$$



**Figure 6. Illustration of the vertical uncertainty of a sea-level index point.  $U_{te}$  is total elevation uncertainty;  $T$  is sample thickness; and  $E_{te}$  is total elevation error.**

### 2.3.1 Indicative Meaning

Sea-level indicators are featured with their indicative meaning relative to present or former sea level or sea-level influenced groundwater level. The indicative meaning of index points enables the reconstruction of past RSL, as follows (Shennan, 1982)

$$H_{RSL} = H_s - H_{RWL} \quad [3]$$

where  $H_{RSL}$  represents the elevation of relative sea level,  $H_s$  represents sample elevation and  $H_{RWL}$  represents the elevation of the reference water level which the sample elevation is related to. Furthermore,

$$E_{ir} = H_{ir} / 2 \quad [4]$$

where  $H_{ir}$  represents the indicative range.

In this thesis, three sea-level indicator categories are discussed, including: 1) intertidal marsh peat, 2) compaction-free freshwater peat, and 3) marine/estuarine carbonates (e.g., mollusk shells). Table 2 lists their reference water levels and indicative ranges, respectively. The open indicative range of freshwater peat and marine/estuarine carbonates implies that they can only be used as limiting data points.

Tide-gauge data to infer reference water levels are obtained from the NOAA tides and currents website. Unfortunately, no information is provided from NOAA tide gauges on the highest astronomical tide (HAT) along the Gulf Coast. As an alternative, I use 10 years of predictions provided by NOAA for each tide gauge and take the average of the highest predicted tide of each month as the annual HAT (Engelhart, 2010).

**Table 2. Reference water level and indicative range of different types of sea-level indicators**

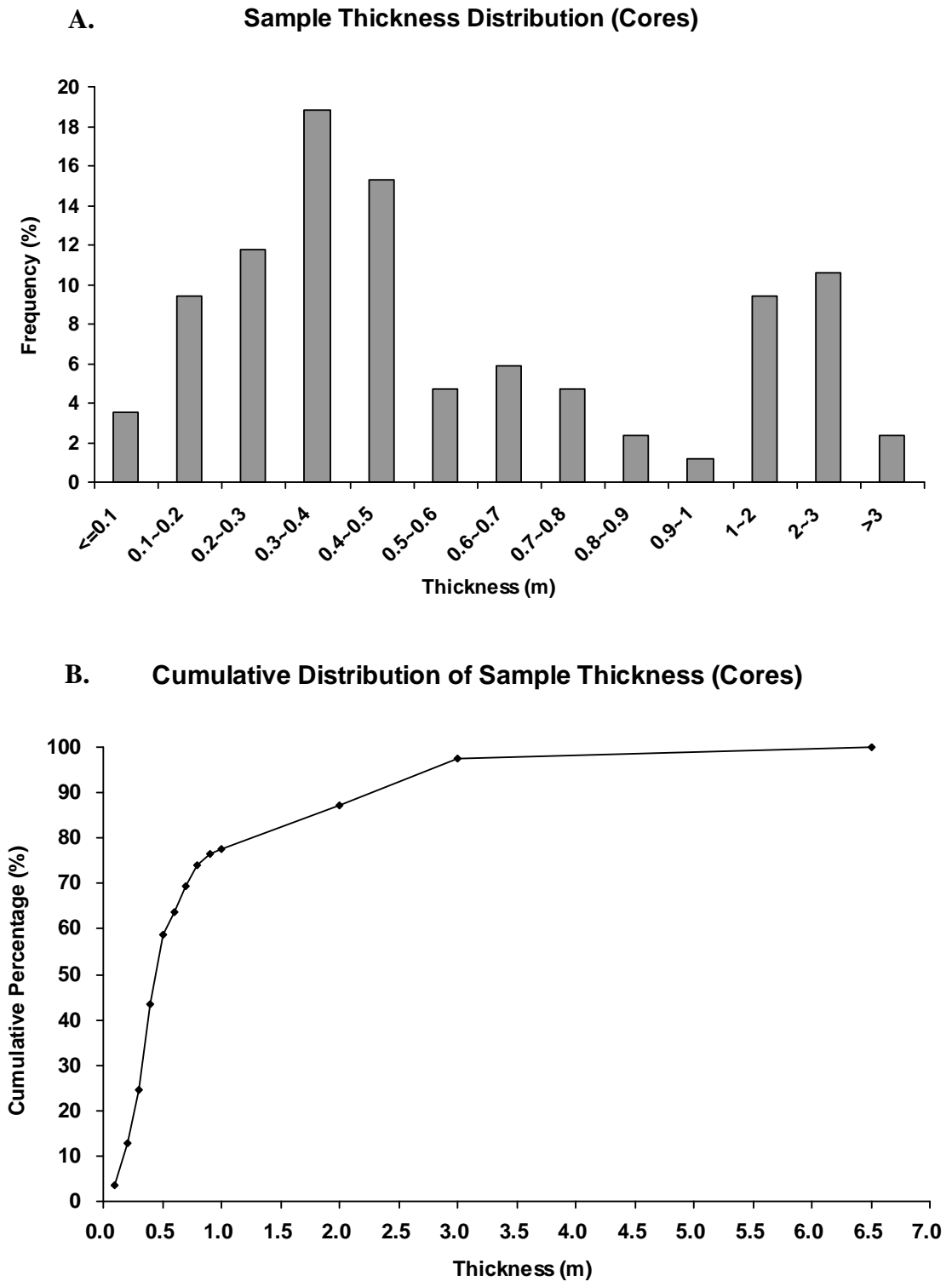
Sea-level indicator	Reference water level	Indicative range
Intertidal marsh peat	$(\text{HAT} + \text{MTL})/2$	HAT-MTL
Compaction-free freshwater peat	MTL	Anywhere at or above RWL
Marine/estuarine mollusks	MTL	Anywhere at or below RWL

HAT = highest astronomical tide; MTL = mean tide level; RWL = reference water level (following Engelhart, 2010).

### 2.3.2 Sample Thickness

Sample thickness defines the initial elevation uncertainty of sea-level index points with the consideration that several decimeters of vertical difference of sea-level indicators sometimes lead to distinct interpretations of patterns and rates of Holocene sea-level changes (Van de Plassche, 1986) and that thicknesses of samples sometimes can be on the order of meters (e.g., Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964; Nelson and Bray, 1970; Frazier, 1974; Kulp, 2000). While sample thickness is reported for many published sea-level data, larger numbers of studies lack this information. In the former case, sample thickness is directly adopted from the original studies, while in the latter case estimations are made based on thicknesses reported by comparable studies.

Sample thickness varies among studies with respect to the necessary amount of sample for radiocarbon dating. Sample thickness of peat samples can be as little as a few centimeters (e.g., Törnqvist et al., 2004a, 2004b, 2006; González and Törnqvist, 2009) to a few decimeters (e.g., Milliken et al., 2008; J.B. Anderson, personal communication, 2010), and 2 cm for mollusk shell samples (Simms et al., 2007) using the accelerator mass spectrometry (AMS)  $^{14}\text{C}$  dating technique. Thus, I assign 20 cm as sample thickness for AMS dated samples lacking thickness information. On the other hand, studies using conventional  $^{14}\text{C}$  dating showed sample thicknesses of 0.3 - 6.5 m from cores and 3 - 12 m from cuttings (Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964; Nelson and Bray, 1970; Frazier, 1974; Kulp,



**Figure 7A and 7B.** Thickness distribution of conventional  $^{14}\text{C}$  dated samples from cores (data from Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964; Nelson and Bray, 1970; Frazier, 1974; Kulp, 2000).

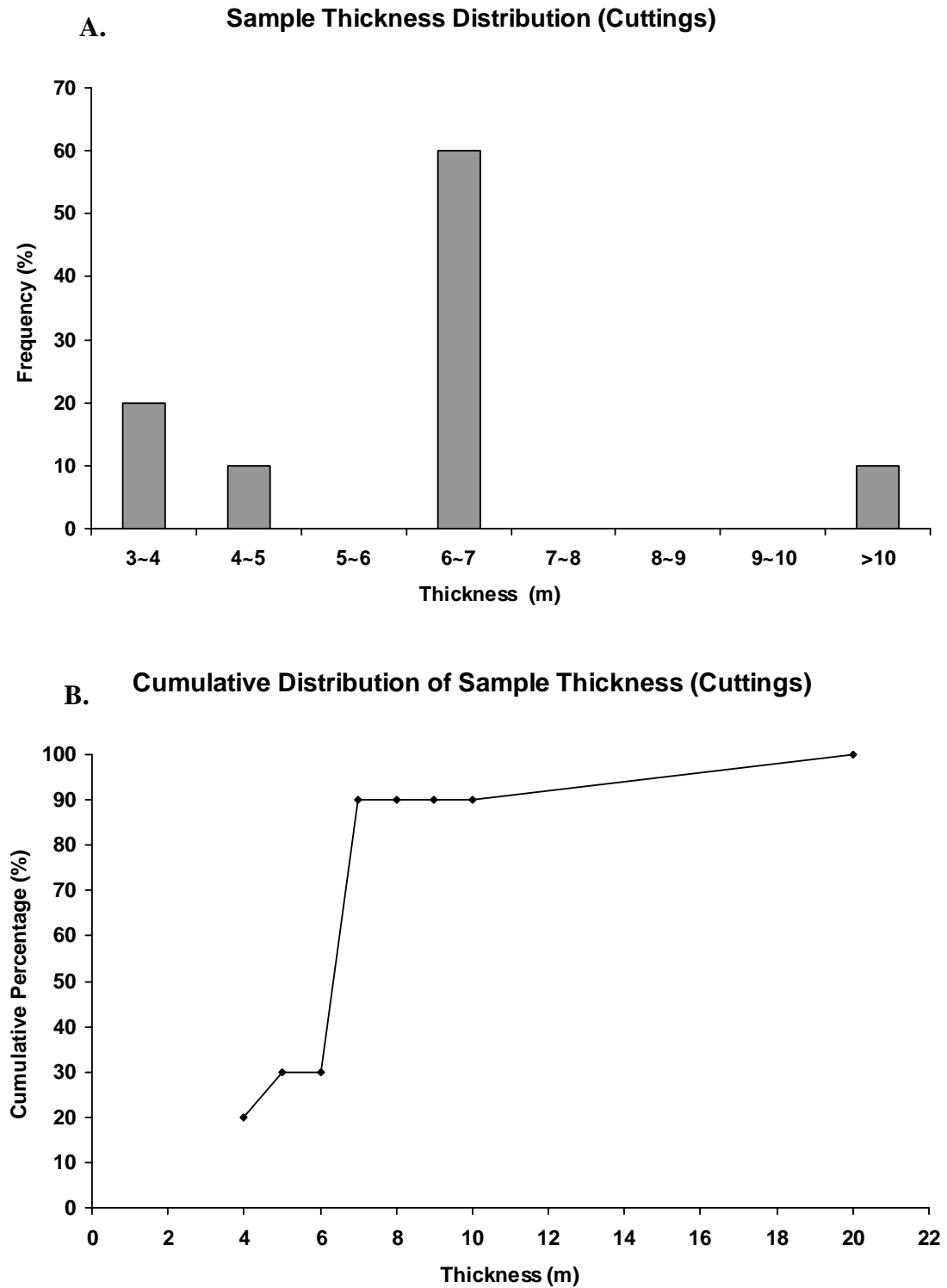


Figure 8A and 8B. Thickness distribution of conventional  $^{14}\text{C}$  dated samples from cuttings (data from Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964; Nelson and Bray, 1970; Frazier, 1974; Kulp, 2000).

2000). According to the distribution of sample thicknesses based on these studies (Figs. 7A and 8A), I assign 1 m as thickness to conventional  $^{14}\text{C}$  dated samples from cores and 8 m for those from cuttings. Both values are integers rounded from the 75th percentile of the thickness distribution for cores and cuttings, respectively (Figs 7B, 8B).

### **2.3.3 Sampling Errors**

Sampling errors arise from procedures of depth measurement, core shortening and stretching during drilling, and non-vertical drilling (note that the latter two types of error only apply to samples collected by coring). Some studies report sampling errors; those errors are adopted here directly. Error estimations were made for data from studies without information on this issue, by taking into account that sampling errors could be significant even with high standards of cautiousness. For instance, sea-level data obtained from a depth up to 15 m recently collected from Bayou Sale, South Louisiana, using a Geoprobe drilling system have an average sampling error of  $\pm 10$  cm including depth measurement, core shortening/stretching and non-vertical drilling errors, using the highest possible standards (Y.-X. Li, personal communication, 2009). Estimations are made according to expert judgment based on contemporary studies. Under the assumption that sea-level researchers appreciate the importance of data accuracy and precision, a depth measurement error of  $\pm 10$  cm is assigned to data from both onshore and offshore (Kidson, 1982).

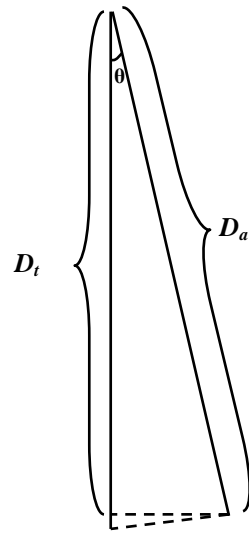


Samples from cores are rarely drilled perfectly vertically, which makes the apparent depth ( $D_a$ ) of a sample larger than the true depth ( $D_t$ ). The discrepancy increases with drilling depth (Fig. 9). Since the angle ( $\theta$ ) between  $D_a$  and  $D_t$  can be controlled within a few degrees ( $<5^\circ$ ), an error of  $\pm 1\% \times D_a$  is assigned (Engelhart, 2010).

Core shortening and stretching occur commonly, not only during rotary coring but also during hand coring. According to Morton and White (1997), up to 30% accumulated core shortening can result within a sampling interval of less than one meter; on the other hand, alternating unshortened and shortened sampling intervals are commonly observed. Thus, I assigned an average core shortening/stretching error of 15% of the sample depth for samples obtained by vibra-coring and rotary coring in cases that the original study did not specify a magnitude. It is believed that hand coring leads to less shortening/stretching than rotary coring (T. E. Törnqvist, personal communication, 2009) and thus should have a smaller error. Engelhart (2010) suggests a value of  $\pm 0.05$  m for hand cored samples following Woodroffe (2006), in case such an error is not specified by the original study.

#### **2.3.4 Surveying Errors**

Errors from land surface elevation measurements are discussed using the following three examples that represent different approaches to obtaining the land surface elevation. All elevation data in this study are related to the North American Vertical Datum 1988 (NAVD 88).



**Figure 9. Illustration of non-vertical drilling.  $D_t$  and  $D_a$  represent the true and the apparent depth, respectively;  $\theta$  is the borehole angle.**

Ideally, researchers measure land surface elevation relative to a stable benchmark which has an elevation well constrained with respect to a known geodetic framework (i.e., NAVD 88). Many studies use precise geodetic instruments for land surface surveying. For example, Törnqvist et al. (2004a, 2004b, 2006) and González and Törnqvist (2009) used an electronic total station and a Differential Global Positioning System (DGPS) to survey their sampling sites and related these elevations to NAVD 88. In these studies, the sum of errors from total station and DGPS surveying together were constrained within  $\pm 6$  cm (González and Törnqvist, 2009) and  $\pm 7$  cm (Törnqvist et al., 2004a; 2004b; 2006), respectively. As demonstrated in these studies, these researchers paid great attention to data precision, which means errors could be considerably larger. With this in mind, an error of  $\pm 5$  cm is assigned to the total station leveling and  $\pm 5$  cm to DGPS surveying for data from studies which used these high-precision surveying methods but without providing information related to precision and errors.

Many early studies (e.g., Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964; Nelson and Bray, 1970; Frazier, 1974) did not provide the land surface elevation which is involved in calculating sample depth and associated errors. In these cases, I obtained land surface elevations from topographic map information in TOPO! 4.2. The surface elevation error is determined as one half contour interval on the topographic map used to locate the sampling sites. For instance, topographic maps for most sample sites in this study use a 5 ft ( $\sim 1.5$  m) contour interval, thus  $\pm 75$  cm is adopted as the land surface elevation error. Elevations in TOPO! 4.2 are “meters/feet

above mean sea level” instead of related to the North American Vertical Datum (NAVD) 88 datum. Thus, the MSL recorded by the nearest tide gauge would be used when calculating sample elevation relative to NAVD 88. In cases where sample elevation is measured from cross sections (e.g., Gould and McFarlan, 1959) the half vertical scale interval is applied as the land surface elevation error. For instance, the vertical scale interval is 5 ft (1.5 m) in Gould and McFarlan (1959) and hence the land surface elevation error is  $\pm 75$  cm. In these early studies, the elevation of offshore samples is related to the water surface which is unclearly defined as “present sea level”. In these cases, I refer “present sea level” to the present MSL recorded by the nearest tide gauge associated with an error of one half spring tidal range assigned as “tide error”.

Finally, it has to be kept in mind that sampling sites might have experienced subsidence between the collection date and the current analysis. Furthermore, local tide levels that are used as reference water levels might have fluctuated during the same time interval. Although it is beyond the scope of this thesis to quantitatively assess its contribution to the total vertical error of sea-level data, it is worth taking this issue into account in future studies.

## **2.4 Compaction Effects**

Sediment compaction is a local effect that can cause considerable vertical displacement of sea-level indicators and varies spatially from one site to another. In order to generate a

RSL curve with more than just local significance, the role of sediment compaction must be eliminated.

The recognition of the potentially significant contribution of sediment compaction in RSL reconstructions can be traced back to the 1960s to sea-level studies in the Netherlands (Jelgersma, 1961) and in the northeastern United States (Kaye and Barghoorn, 1964). Törnqvist et al. (2008) quantitatively estimated the magnitude of sediment compaction in the Mississippi Delta by analyzing the rate of deformation of initially horizontal peat beds, finding compaction rates up to 5 mm/yr on millennial timescales and possibly as much as 10 mm/yr on decadal to centennial timescales. A strong linear correlation between compaction rate and overburden thickness was found.

A recent study from the east coast of England (Horton and Shennan, 2009) based on a comparison of different types of peat beds (e.g., basal peat and intercalated peat) found a significant correlation between the amount of compaction and the overburden thickness as well as the total thickness of the Holocene succession. In the same study, the correlation between the compaction amount and the depth to the compaction-free basement of the peat layer was also investigated, although only one site out of six suggested a strong relationship.

Enlightened by these previous studies, attempts at similar analyses were performed with sea-level data in this thesis. Two parameters that are most likely to determine the extent

of compaction for each sea-level index point or limiting point are tabulated if relevant data are available: 1) the overburden thickness and 2) the depth to the consolidated basement. In addition, the nature of sediment facies (e.g., sediment type, grain size, organic content, and water content) over/underlying each sea-level indicator are also listed if any relevant information exists, since these factors directly or indirectly determine the extent of compaction. Instead of identifying samples as “base of basal”, “basal”, or “intercalated” (Shennan et al., 2000a; Engelhart, 2010), overburden thickness and depth to the consolidated basement combined with sediment facies provide a more quantitative sense of the possible extent of compaction of samples.

Although a fully quantitative correction for compaction effects would require further field and modeling studies which are not attempted here, several studies have suggested a quantitative approach to apply a compaction correction to the thickness of samples collected in sea-level studies (Van de Plassche et al., 2005; Berendsen et al., 2007). These authors discussed basal-peat samples located a few centimeters above the underlying consolidated basement and Berendsen et al. (2007) suggested correction factors of 1.5 and 2.5 for the base and top of these peat samples, respectively. For example, in order to decompact a 10 cm thick peat sample that is 5 cm from the consolidated basement, one would multiply 5 cm by 1.5 and 5+10 cm by 2.5, yielding a decompact peat sample 7.5 to 37.5 cm above the compaction-free substrate. This correction not only enlarges the thickness of the peat sample but also elevates it. I solely performed the thickness correction and avoid any elevation change corrections which are beyond the scope of this

thesis. The maximum correction factor of 2.5 is applied to sample thicknesses based on the reported maximum compaction amount of 60% for peat beds (Van Asselen, in press) ( $2.5 = 1/(1-0.6)$ ). This correction is carried out to obtain decompacted sample thicknesses ( $T_d$ ) for both basal and non-basal peat and organic-rich sediments (e.g., humic clay). Since most other samples in the sea-level database consist of shell materials that are likely much less compressible, no sample thickness correction is carried out in those cases.

Finally, a sample midpoint correction is performed for those samples with a decompacted thickness. In these cases, the elevation of the top of the sample is obtained by adding the decompacted sample thickness to the elevation of the base of the sample. The sample midpoint elevation is the average of the base and the decompacted top elevations.

## 2.5 Age Uncertainty

### 2.5.1 Radiocarbon Measurement Techniques: a Brief Overview

Radiocarbon ( $^{14}\text{C}$ ) atoms decay, turning into  $^{14}\text{N}$  atoms by emitting an electron and a positron. The decay characteristics of  $^{14}\text{C}$  enable it to be used for radiometric dating and the decay time is calculated as

$$t = -\frac{1}{\lambda} \cdot \ln \frac{N}{N_0} \quad [5]$$

where  $t$  is the time of decay,  $\lambda$  is the disintegration constant for a given radiometric isotope,  $N$  is the measured amount of the radiometric isotope in the sample, and  $N_0$  is the

original amount of the radiometric isotope in the sample before it started disintegrating.

This equation is only valid under the assumption that no isotopic exchange occurred between the sample and the environment after the disintegration started.

Given the half life of radiocarbon of 5568 years (Libby, 1952) the decay constant  $\lambda$  for  $^{14}\text{C}$  is  $1/8033$ . (Note that some studies use a 5730 year half life.) Since the amount of  $^{14}\text{C}$  in the sample can be represented by 1) its abundance relative to  $^{12}\text{C}$  or  $^{13}\text{C}$  (i.e., the ratio  $^{14}\text{C}/^{12}\text{C}$  or  $^{14}\text{C}/^{13}\text{C}$ ), or 2) its radioactivity ( $A$ ), the disintegration equation of  $^{14}\text{C}$  can be rewritten as

$$t_m = -8033 \cdot \ln \frac{\left( \frac{^{14}\text{C}}{^{12}\text{C}} \right)_t}{\left( \frac{^{14}\text{C}}{^{12}\text{C}} \right)_0} \quad [6]$$

or

$$t_m = -8033 \cdot \ln \frac{A_t}{A_0} \quad [7]$$

where  $t_m$  represents the measured  $^{14}\text{C}$  age of the sample, subscript  $0$  represents age zero and subscript  $t$  corresponds to a certain time when the sample age is  $t$ . The original radioactivity or relative abundance of  $^{14}\text{C}$  is represented by the modern activity or the modern  $^{14}\text{C}/^{12}\text{C}$  (or  $^{14}\text{C}/^{13}\text{C}$ ) ratio of NBS (National Bureau of Standards) oxalic acid held by the American Bureau of Standards, respectively. The radiocarbon age of a sample can then be calculated if the remnant  $^{14}\text{C}$  abundance or activity can be measured.



### 2.5.1.1 Conventional Radiocarbon Dating

The conventional radiocarbon dating technique involves beta ( $\beta$ ) disintegration counting, which yields the  $^{14}\text{C}$  age of a sample by detecting the electrically charged  $\beta$  particles emitted from  $^{14}\text{C}$  decay over a period of time. The rationale behind this is that the rate of  $\beta$  emission reflects the residual level of  $^{14}\text{C}$  activity in the sample (Libby, 1952; Bowman, 1990; Walker, 2005). There are two ways to perform  $\beta$  counting, including gas counting (if the sample is converted into  $\text{CO}_2$ ) and liquid scintillation counting (if the sample is converted into benzene,  $\text{C}_6\text{H}_6$ ). Gas counting became popular in the 1950s because it avoids nuclear fall-out contamination. Liquid scintillation counting has been prevailing since the 1960s, due to a reduction of the required sample amount (Bowman, 1990).

### 2.5.1.2 Accelerator Mass Spectrometry

Instead of counting the  $\beta$  emission, accelerator mass spectrometry (AMS) is used to detect the amount of  $^{14}\text{C}$  relative to the lighter carbon isotopes ( $^{12}\text{C}$  and  $^{13}\text{C}$ ) directly by employing: 1) an accelerator to separate  $^{14}\text{C}$  from molecules with similar weight such as  $^{14}\text{N}$  and  $^{13}\text{CH}^+$ , and 2) a magnetic field to separate the carbon isotopes which are then counted by an ion detector. AMS significantly decreases the sample size required for dating from several grams of carbon (as needed for  $\beta$  counting) to 1 milligram of carbon or less (Bowman, 1990; Walker, 2005).

The  $^{14}\text{C}$  age from either  $\beta$  counting or AMS is not necessarily the true age of the sample. Instead, it is the mean value with a standard deviation ( $\sigma$ ) of the normal probability

distribution resulting mainly from counting statistics (Walker, 2005). For example, sample O-226 from McFarlan (1961) is  $4840 \pm 130$   $^{14}\text{C}$  years old, which implies that the probability is 68% for the sample age to lie between 4710 and 4970  $^{14}\text{C}$  years before present.

### 2.5.2 Radiocarbon Dating Errors

Sources of error in radiocarbon age determination, as discussed in this thesis, include the analytical (laboratory) error that is the standard deviation of the  $^{14}\text{C}$  age based primarily on the counting statistics, as well as additional non-analytical (interpretational) errors. The non-analytical uncertainty may be caused by the specific nature of the dated material, reservoir effects, and isotopic fractionation.

Some of the radiocarbon ages listed in the main spreadsheet of the sea-level database are the weighted mean values of multiple samples (i.e., subsamples) calculated following Mook and Van de Plassche (1986) as

$$\overline{t_m} = \frac{\sum_{j=1} \frac{t_{m_j}}{E_{a_j}^2}}{\sum_{j=1} \frac{1}{E_{a_j}^2}} \quad (j = 1, 2, 3, \dots) \quad [8]$$

and the analytical error of the weighted mean age is

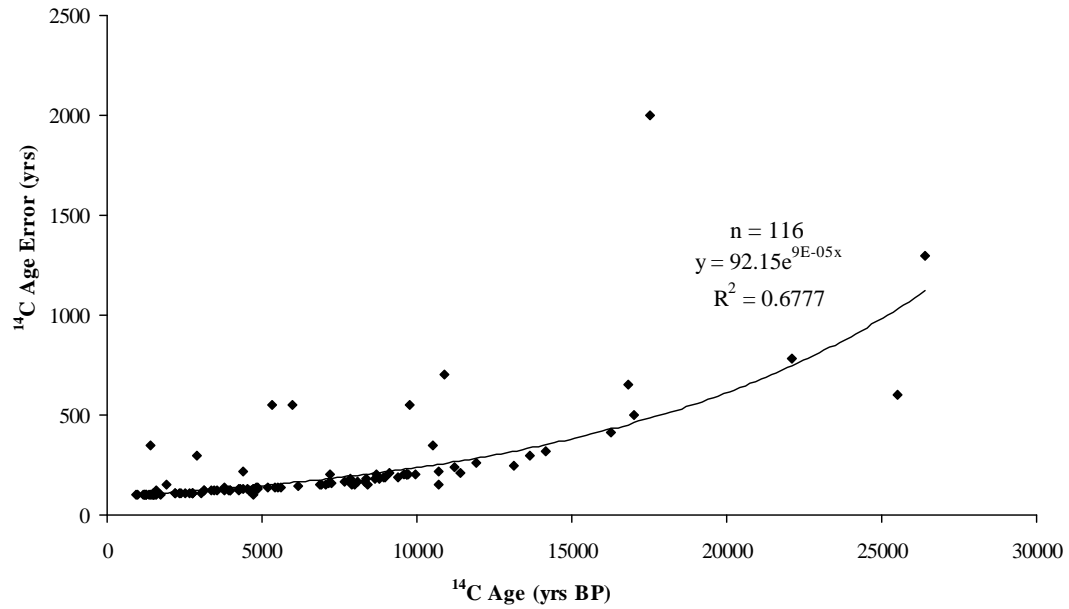
$$\overline{E_a} = \frac{1}{\sqrt{\sum_{j=1} \frac{1}{E_{a_j}^2}}} \quad (j = 1, 2, 3, \dots) \quad [9]$$

Subsample information is listed in a separate spreadsheet.

### **2.5.2.1 Analytical Error**

The analytical error arises from a variety of sources, mainly consisting of 1) process blanks which contain small but measurable amounts of  $^{14}\text{C}$  due to contamination during the sample preparation processes, and 2) statistical variance of the  $^{14}\text{C}$  measurement due to both the internal “Poisson error” and the external precision of the repeatability test (Karlen et al., 1968; Olsson, 1970; Stuiver and Polach, 1977; Stuiver, 1980; Bowman, 1990). Usually radiocarbon laboratories provide the analytical error as the standard deviation. In this thesis, the analytical error is adopted directly from the studies where they were reported, except for data from a few early studies (e.g., Gould and McFarlan, 1959) where this uncertainty is not reported. A positive correlation between sample age and the laboratory error is expected: in other words, older samples have a larger analytical error.

In order to give an appropriate estimation of the analytical error for age measurements from studies that did not report analytical errors, I quantified the correlation between the  $^{14}\text{C}$  age and the analytical error by performing a regression analysis on 116  $^{14}\text{C}$  measurements from contemporaneous studies that did report errors (Kulp et al., 1952; Broecker et al., 1956; Brannon et al., 1957; Broecker and Kulp, 1957; McFarlan, 1961; Coleman and Smith, 1964). A good exponential relationship between  $^{14}\text{C}$  ages and the errors is shown in Fig. 10, following the equation



**Figure 10. Exponential regression analysis of the relationship between  $^{14}\text{C}$  age and the analytical error.**

**Table 3. Laboratory error estimation of  $^{14}\text{C}$  ages up to 23000 yr BP for studies prior to the 1970s**

$^{14}\text{C}$ Age Range (yr BP)	Error Assigned (yr)
$\leq 3000$	100
3000-7000	150
7000-10000	200
10000-12000	250
12000-14000	300
14000-17000	400
17000-19000	500
19000-21000	600
21000-23000	700

$$E_a = 92.15 \cdot e^{t_m \cdot 9 \times 10^{-5}} \quad [10]$$

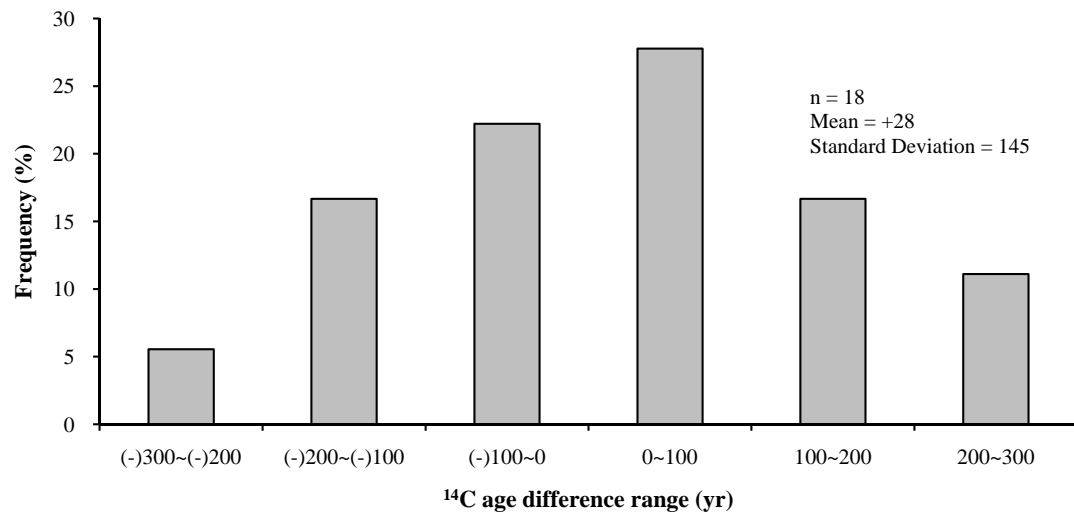
An age-error conversion table (Table 3) was then established based on Equation [10] to assign the analytical uncertainties for  $^{14}\text{C}$  measurements from studies before the 1970s without such information (e.g., Gould and McFarlan, 1959), with error values rounded to the nearest 50  $^{14}\text{C}$  years.

### **2.5.2.2 Nature of Dated Material**

Carbonaceous organic remains constitute some of the most widely used materials in radiocarbon dating for geological purposes. With respect to the accuracy of the ages provided by these materials, this category can be subdivided into bulk samples (e.g., bulk peat, mixed shells) and short-lived identifiable samples (e.g., plant macrofossils and single shells).

According to Mook and Van de Plassche (1986), contamination of bulk peat can occur in at least two ways: 1) mechanical contamination – reworking and redeposition of older organic materials which is particularly significant in sediments with low organic content; and 2) botanical contamination which in most cases involves the penetration of roots that rejuvenate the bulk  $^{14}\text{C}$  age.

A comparison of  $^{14}\text{C}$  ages of pairs of bulk peat and macrofossils originating from the same sample (data from Törnqvist et al., 1992) was made to evaluate the distribution of the age difference (bulk age minus macrofossil age). Based on the resulting histogram



**Figure 11.** Distribution of  $^{14}\text{C}$  age difference (bulk peat minus macrofossil) of bulk peat-macrofossil pairs (data from Törnqvist et al., 1992).

(Fig. 11), I assume that the “bulk minus macrofossil” value is normally distributed, with a mean of zero (the observed mean of +28 is not significantly larger), and a standard deviation of 145  $^{14}\text{C}$  years. On the other hand, the reported bulk peat analytical errors in this dataset have a mean value of only 70  $^{14}\text{C}$  years, while the reported macrofossil ages have a mean error of 80  $^{14}\text{C}$  years. The normal distribution suggests that mechanical and botanical contamination which influence  $^{14}\text{C}$  ages of bulk peat in opposite ways cancel each other out in many cases. Thus, the bulk peat  $^{14}\text{C}$  ages are still reliable and hence useful. However, an extra error to account for possible bulk peat contamination appears to be appropriate.

To test the necessity of assigning such a bulk error, a chi-square ( $\chi^2$ ) test was carried out. The  $\chi^2$  test yields a significance level of 98% for the necessity to assign a bulk error of  $\pm 100$   $^{14}\text{C}$  years ( $\sqrt{145^2 - (70^2 + 80^2)}$ ), rounded to the nearest 10 years. Statistical test details are provided in the Appendix. The same problem can be expected when comparing bulk carbonates and individual shell specimens. Therefore, an error of  $\pm 100$   $^{14}\text{C}$  years is added to  $^{14}\text{C}$  ages of bulk carbonate samples as well.

### 2.5.2.3 Reservoir Effect

Ocean surface water approaches carbon isotopic equilibrium with the atmosphere. After the surface water diffuses and sinks into the deep ocean, dissolved inorganic  $^{14}\text{C}$  in the water decays without replenishment because the deep ocean water is isolated from the atmosphere for long periods of time (Walker, 2005). Thus, the  $^{14}\text{C}$  age of marine

carbonate samples crystallized from this  $^{14}\text{C}$  depleted ocean water (e.g., shells as discussed in this thesis) is older than the true age. This effect occurs worldwide, although it varies depending on local/regional geological and/or climatic condition (Walker, 2005). An average reservoir age of  $400 \pm 100$   $^{14}\text{C}$  years is generally applied to  $^{14}\text{C}$  ages from open marine environments (e.g., Waelbroeck et al., 2001; Hughen et al., 2004). I adopted this reservoir age for marine carbonate  $^{14}\text{C}$  ages from the Gulf of Mexico in this thesis.

In estuarine systems along the Gulf of Mexico, however, the reservoir age is potentially greater than the global one. Radiocarbon age comparisons on wood-shell pairs from three estuaries along the Texas Coast (Fig. 12A) reveal a reservoir age increase from east to west, from 400 to 800  $^{14}\text{C}$  years (Fig. 12B) (Milliken et al., 2008). Since this area is reasonably comparable to our research area, I adopted 600 years as the average reservoir age for  $^{14}\text{C}$  ages of estuarine carbonate samples in the Gulf of Mexico, with an uncertainty of  $\pm 200$   $^{14}\text{C}$  years. Shell samples that could be either open marine or estuarine would be assigned a reservoir age of  $550 \pm 250$   $^{14}\text{C}$  years in order to cover the maximum reservoir correction range.

#### **2.5.2.4 Isotopic Fractionation**

Organic matter is depleted in rare isotopes ( $^{14}\text{C}$  and  $^{13}\text{C}$ ) relative to its source; this is known as isotopic fractionation. Biological pathways have the tendency to preferentially take up lighter carbon isotopes. Thus, a lower content of heavier carbon isotopes (i.e.,  $^{14}\text{C}$  and  $^{13}\text{C}$ ) is observed in organic matter, compared to the carbon reservoir from which



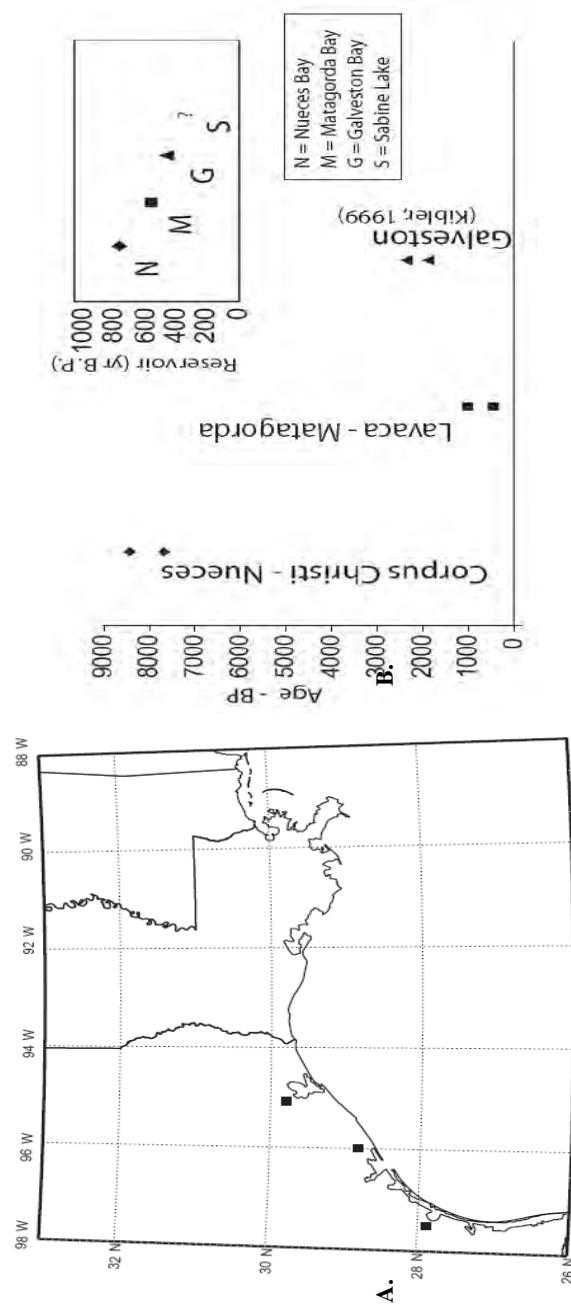


Figure 12. A. Sampling sites of wood-shell pairs (black squares). From east to west: Galveston, Lavaca - Matagorda, and Corpus Christi - Nueces; B. Reservoir effect from wood-shell pair  $^{14}\text{C}$  ages for each locality (Miliken et al., 2008).

biologic carbon is obtained (Park and Epstein, 1960; Bowman, 1990). As a result, both terrestrial and marine organisms would display older  $^{14}\text{C}$  ages if not corrected for isotopic fractionation. On the other hand, isotopic fractionation causes a systematic difference in isotopic composition of the atmospheric and oceanic carbon reservoir. The ocean preferentially absorbs heavier carbon from the atmosphere, resulting in an enrichment of  $^{14}\text{C}$  and  $^{13}\text{C}$  in ocean water. This effect leads to a smaller, but still noticeable, depletion of  $^{14}\text{C}$  and  $^{13}\text{C}$  in marine organisms (Park and Epstein, 1960). Carbonate crystallized from ocean water, however, prefers heavier carbon isotopes to the lighter ones. This characteristic combined with the heavier ocean carbon reservoir, results in marine carbonates becoming enriched in  $^{14}\text{C}$  and  $^{13}\text{C}$ , hence rejuvenating ages.

For these reasons, an isotopic fractionation correction is necessary to obtain accurate  $^{14}\text{C}$  ages. According to Stuiver and Polach (1977),

$$t_m = -8033 \cdot \ln \frac{A_s}{A_{on}} \quad [11]$$

where  $A_s$  represents the sample  $^{14}\text{C}$  activity, and  $A_{on}$  represents the normalized (or isotopic fractionation corrected)  $^{14}\text{C}$  activity of the standard which is directly related to the NBS oxalic acid, representing the original radiocarbon activity when the disintegration started. Then the normalized  $^{14}\text{C}$  age,  $t_n$ , would be

$$t_n = -8033 \cdot \ln \frac{A_{sn}}{A_{on}} \quad [12]$$

where  $A_{sn}$  represents the normalized  $^{14}\text{C}$  activity of the sample after isotopic fractionation correction. According to Stuiver and Robinson (1974),

$$A_{sn} = A_s \cdot \frac{\left(1 + \frac{-25}{1000}\right)^{1.9}}{\left(1 + \frac{\delta^{13}C}{1000}\right)^{1.9}} \quad [13]$$

where  $\delta^{13}C$  is the measurement or the estimation of sample  $^{13}C$  isotopic composition, defined as

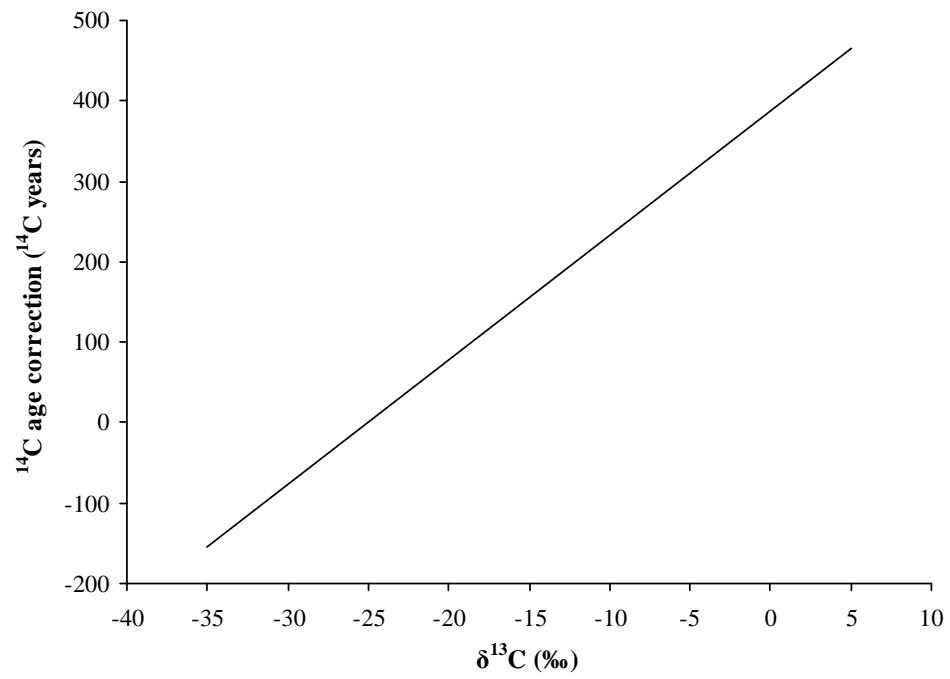
$$\delta^{13}C = \left( \frac{\left( \frac{^{13}C}{^{12}C} \right)_{sample}}{\left( \frac{^{13}C}{^{12}C} \right)_{VPDB}} - 1 \right) \times 1000 \text{‰} \quad [14]$$

The international  $\delta^{13}C$  standard used to be the Pee Dee Belemnite (PDB) but is currently the NBS19-Limestone known as VPDB. A  $\delta^{13}C$  value of -25‰ is applied to represent the no-fractionation assumption. In other words, no correction is needed if the sample  $\delta^{13}C$  value is -25‰ (Stuiver and Robinson, 1974). By combining Equations [11], [12], and [13], we obtain

$$\Delta t_i = t_n - t_m = 8033 \cdot \ln \frac{A_s}{A_{sn}} = 8033 \cdot \ln \frac{\left(1 + \frac{\delta^{13}C}{1000}\right)^{1.9}}{0.975^{1.9}} \quad [15]$$

where  $\Delta t_i$  represents the age difference between the uncorrected  $^{14}C$  age and the corrected age, and hence the isotopic fractionation correction. This equation can be re-arranged as

$$\Delta t_i = 15262.7 \cdot \ln \left( 1 + \frac{\delta^{13}C}{1000} \right) + 386.418 \quad [16]$$



**Figure 13. Isotopic fractionation correction curve based on Equation 16 for radiocarbon dated materials with  $\delta^{13}\text{C}$  values ranging from -35‰ to +5‰.**

Equation [16] enables us to convert the sample  $\delta^{13}\text{C}$  value to the age correction value due to isotopic fractionation (Fig. 13), given that the stable isotope  $^{13}\text{C}$  can be measured by AMS or stable isotope mass spectrometry.

The rejuvenating effects of isotopic fractionation on  $^{14}\text{C}$  ages have been addressed by radiocarbon dating researchers since the 1950s (e.g., Craig, 1953; Rafter, 1955; Broecker and Olson, 1959). Corrections for radiocarbon measurements based on the  $\delta^{13}\text{C}$  value (measured by mass spectrometry or estimated) can be traced back to the 1960s in the earliest volumes of the journal *Radiocarbon* (e.g., Barker and Mackey, 1959; Olsson, 1959; Östlund, 1959; Nydal, 1960; Tauber, 1960; Stuiver and Deevey, 1961; Dorn et al., 1962; Östlund et al., 1962; Ralph and Stuckenrath, 1962). However, the  $\delta^{13}\text{C}$  correction did not become a routine procedure for every laboratory until the mid 1980s, as shown by publications from this time onwards in *Radiocarbon*. Radiocarbon laboratories made the isotopic fractionation correction routine gradually, so there is no clear time line as to the starting point of the routine correction for all laboratories.

Defining the starting point for isotopic fractionation correction for specific laboratories can be done by examining their  $^{14}\text{C}$  measurement reports (mostly published in *Radiocarbon*). For instance,  $^{14}\text{C}$  ages that are used in this thesis are mainly from five laboratories: Lamont Geological Observatory at Columbia University (L), Humble Oil and Refining Company (O), Shell Development Company Exploration and Production Research Division (Sh), Mobil Oil Research and Development Corporation Field

Research Laboratory (SM) and the Robert J. Van de Graaff Laboratorium at Utrecht University, The Netherlands (UtC). Among these laboratories, Humble Oil, Shell, and Mobil did not provide any evidence for isotopic fractionation correction and they have been inactive since 1973, 1969 and 1977, respectively. Thus,  $^{14}\text{C}$  measurements from these laboratories are considered as not corrected and manual correction would apply to these data. Lamont is one of the laboratories that discussed and carried out isotopic fractionation correction earliest. However, the  $^{14}\text{C}$  measurements used in this thesis were published before 1959 when the Lamont laboratory first addressed this issue. Therefore, these data are considered as uncorrected as well and need correction. The more recent radiocarbon data from the Utrecht laboratory have reported  $\delta^{13}\text{C}$  data and have been corrected for isotopic fractionation so that no further correction is needed.

In cases where it is certain that no isotopic fractionation correction was performed, such a correction, including an error assessment, was carried out in this thesis. The  $\delta^{13}\text{C}$  range of a variety of materials of interest to this study and available from the literature are listed in Table 4. Conversion from  $\delta^{13}\text{C}$  ranges of specific materials to corresponding  $^{14}\text{C}$  age correction ranges is based on Equation [16] (Fig. 13). The mean value of the age correction range and its uncertainty is listed for each material. For example, for “undifferentiated peat”, the  $\delta^{13}\text{C}$  range is -32 to -12‰. An age correction range of -110 to +200  $^{14}\text{C}$  years would be obtained using Equation [16]. The mean value of this range is +50  $^{14}\text{C}$  years, and the uncertainty for this age correction value ( $E_i$ ) is  $\pm 160$   $^{14}\text{C}$  years.

**Table 4.  $\delta^{13}\text{C}$  value range and age correction for different materials**

Material	$\delta^{13}\text{C}$ (‰)	$\Delta t_i$ ( $^{14}\text{C}$ years)
Wood <sup>1</sup>	-29 ~ -23	-20±50
Organic carbon-rich sedimentary material from freshwater environment <sup>2</sup>	-28.5 ~ -25.5	-30±20
Organic carbon-rich sedimentary material from intermediate (salinity) environment <sup>2</sup>	-25 ~ -18	+60±60
Organic carbon-rich sedimentary material from brackish environment <sup>2</sup>	-20 ~ -15	+120±40
Organic carbon-rich sedimentary material from saline environment <sup>2</sup>	-18 ~ -14	+140±30
Undifferentiated peat <sup>3</sup>	-32 ~ -12	+50±160
Estuarine and freshwater carbonates from the northern Gulf of Mexico <sup>4</sup>	-15 ~ +5*	+310±150
Marine carbonates <sup>4</sup>	-4 ~ +3	+380±50

1. (Walker, 2005); 2. (Chmura et al., 1987); 3. (Törnqvist et al., 2004a); 4. (Hoefs, 1997). \*This  $\delta^{13}\text{C}$  range covers fresh to saline environments.

In cases where it is unknown whether isotopic fractionation correction has been performed to the original  $^{14}\text{C}$  measurement, an isotopic fractionation error,  $E_i$ , instead of an age correction with uncertainty, is assigned to the  $^{14}\text{C}$  age in the sea-level database. I define this as

$$E_I = |\Delta t_i| + |E_i| \quad [17]$$

where  $\Delta t_i$  represents isotopic fractionation correction for the specific dated material, and  $E_i$  represents the associated isotopic fractionation correction error. For instance, a  $^{14}\text{C}$  measurement of an undifferentiated peat sample from Kulp (2000) is reported as  $3350 \pm 70$  yr BP, without evidence as to whether it has been corrected for isotopic fractionation. The isotopic fractionation error is  $\pm(50 + 160) = \pm 210$   $^{14}\text{C}$  years based on Equation [17].

### 2.5.2.5 Integrated Age Error

Given the above analysis, the integrated  $^{14}\text{C}$  age correction would be

$$Age_c = t_m - \Delta R + \Delta t_i \pm E_{ta} \quad [18]$$

where  $t_m$  represents the measured  $^{14}\text{C}$  age,  $\Delta R$  represents reservoir age,  $\Delta t_i$  represents isotopic fractionation correction, and  $E_{ta}$  stands for total age error which is the square root of the sum of all squared errors,

$$E_{ta} = \sqrt{E_a^2 + E_b^2 + E_r^2 + E_i^2} \quad [19]$$

where subscripts  $a$ ,  $b$ ,  $r$ ,  $i$  represent analytical, bulk, reservoir, and isotopic fractionation, respectively. In cases where it is not known if isotopic fractionation correction has been carried out



$$E_{ta} = \sqrt{E_a^2 + E_b^2 + E_r^2 + E_l^2} \quad [20]$$

The non-analytical errors discussed above lead to larger error ranges of  $^{14}\text{C}$  measurements (especially for relatively precise measurements) when corrections are required. Following Equations [18] and [20], the corrected  $^{14}\text{C}$  age would be

$3350 \pm \sqrt{70^2 + 100^2 + (50 + 160)^2} = 3350 \pm 240$  yr BP for the example discussed above from Kulp (2000).

### 2.5.3 Radiocarbon Age Calibration

In this thesis, the Calib Rev 6.0.1 program (henceforth Calib, <http://intcal.qub.ac.uk/calib/>) (Stuiver et al., 2005) is used to calibrate  $^{14}\text{C}$  ages into calendar years. The Calib manual is provided by Stuiver et al. (2005) along with the calibration software. As discussed in Section 2.4.2, all radiocarbon measurements are corrected for a variety of errors before calibration. Calib itself provides options to perform some of these corrections, including 1) adjustment of the laboratory error, 2) a choice of data sets and calibration curves for different carbon reservoirs, and 3)  $\delta^{13}\text{C}$  correction. The first two options are built into the program, while a MS Excel spreadsheet for  $\delta^{13}\text{C}$  correction is provided as a supplement to the program.

Calib provides two options to increase the reported standard deviation of the radiocarbon measurement: either by applying an error multiplier,  $K$ , or by adding a variance,  $f^2$  (Fig. 14). The age error then would be increased to either  $K\sigma$  or  $\sqrt{\sigma^2 + f^2}$  (Stuiver et al.,

**Calib Rev 6.0.1**

CALIB RADIOCARBON CALIBRATION PROGRAM\*  
Copyright 1986-2010 M Stuiver and PJ Reimer

\*To be used in conjunction with:  
Stuiver, M., and Reimer, P.J., 1993, Radiocarbon, 35, 215-230.

**Sample Properties**

1 Sample Number

4771 Radiocarbon age

31 Age Uncertainty

UtC-12503 Description Samcode001

IntCal09

0 Percent Marine 0 Delta R 0 Delta R Uncertainty

0 Sample Age Span

1 Laboratory Error

☒ Sample is Enabled

Enter Delete Close

**Calibration Option Selection**

Precision

☐ 1-Sigma

☒ 2-Sigma

Output

☐ Cal AD / BC

☒ Cal BP

Treatment of Lab Error

☒ as a MULTIPLIER

☐ as ADDITIONAL VARIANCE

Sample Identification

☒ By Lab Code

☐ By Sample Code

☒ Write distribution file

OK Cancel

Figure 14. “Sample Properties” and “Calibration Option Selection” windows in Calib Rev 6.0.1.  $^{14}\text{C}$  measurements and associated age uncertainties are input in the “Sample Properties” window along with other information (left window). After entering all  $^{14}\text{C}$  samples, the user selects calibration options in the “Calibration Option Selection” window (right window). Highlighted are parameters discussed in the text.

2005), where  $\sigma$  represents the standard deviation of the  $^{14}\text{C}$  age (i.e., the analytical error). In this thesis, corrections of this nature have already been carried out and thus additional errors are already included in “Age Uncertainty” in the “Sample Properties” window (Fig. 14) before calibration (see Section 2.5.2). Therefore one can either choose “Treatment of Lab Error” as a multiplier in the “Calibration Option Selection” window and assign 1 to “Laboratory Error” in the “Sample Properties” window, or choose “Treatment of Lab Error” as additional variance and assign 0 to “Laboratory Error” (Fig. 14).

In the “Sample Properties” window (Fig. 14), Calib offers different calibration data sets and calibration curves for different carbon reservoirs. The data sets IntCal09 and Marine09 (Reimer et al., 2009) are most commonly used for terrestrial samples from the Northern Hemisphere and samples from the global oceans, respectively. A global reservoir age of  $405 \pm 22$   $^{14}\text{C}$  years has been used to carry out marine reservoir correction when Marine09 is chosen to calibrate  $^{14}\text{C}$  measurements (Reimer et al., 2009). One thing that has to be kept in mind is that  $\Delta R$  (with  $\Delta R$  uncertainty) in the “Sample Properties” window (Fig. 14) is the site-specific offset from the global reservoir correction ( $405 \pm 22$ ). Since all the  $^{14}\text{C}$  measurements of marine and estuarine carbonates in this thesis have been corrected for reservoir effects prior to calibration (see Section 2.5.2.3), I simply choose Intcal09 to calibrate all the three types of samples (terrestrial, open marine, and estuarine). The result is the same as performing the reservoir correction within Calib (Fig. 15).

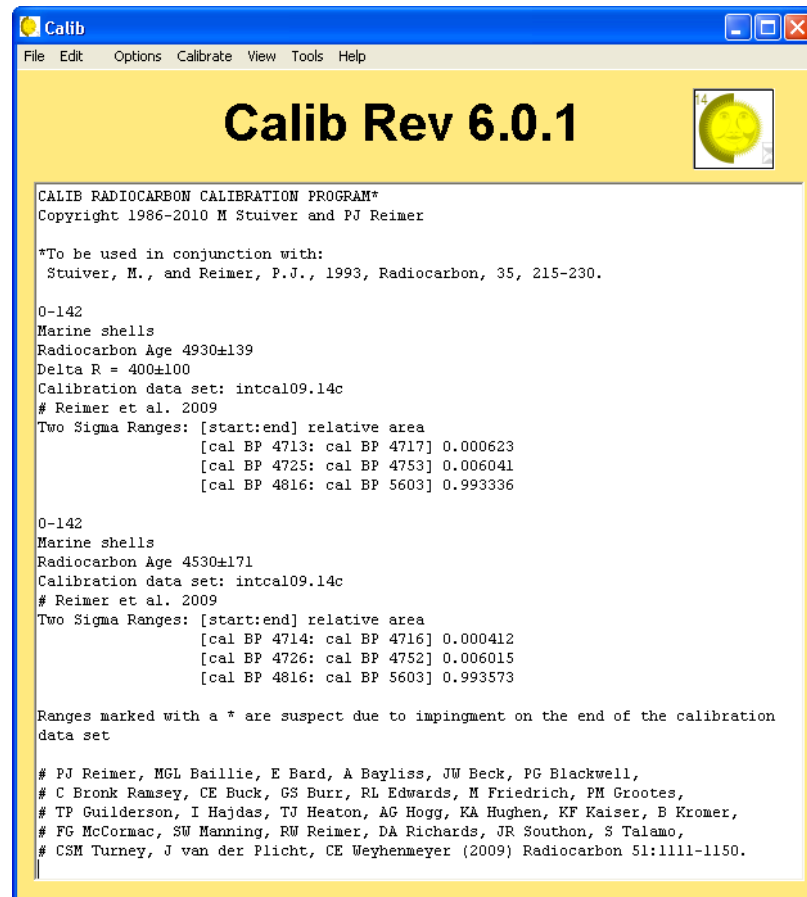


Figure 15. Calibration results of sample O-142 (marine shells) from Brannon et al. (1957) using the IntCal09 data set. Pre-correcting the  $^{14}\text{C}$  measurement ( $4530 \pm 171 = 4930 - 400 \pm \sqrt{139^2 + 100^2}$ ) and calibrating it with  $\Delta R = 0 \pm 0$  yields essentially the same result compared to the built-in reservoir correction ( $4930 \pm 139$ ,  $\Delta R = 400 \pm 100$ ).

Calib provides a  $\delta^{13}\text{C}$  correction spreadsheet (Stuiver et al., 2005) for users to make sure  $^{14}\text{C}$  ages are corrected for isotopic fractionation for cases where this has not yet been done by the radiocarbon laboratory. Comparisons of calculations between the spreadsheet and Equation [14] indicate that they give the same correction results. Again, the isotopic fractionation correction, where necessary, has already been performed in a previous step (Section 2.5.2.4).

Besides the correction options, Calib provides other options such as precision, unit of age for output, sample identification, and so on (“Calibration Option Selection” window in Fig. 14). I choose the  $2\sigma$  confidence level as the precision, calendar years before present (cal BP, 0 cal BP = 1950 AD) as the age reference frame, and either laboratory code or sample name (for cases where the laboratory code is not available) as the sample identification. The calibrated calendar years in the result window are rounded to the nearest year (Fig. 15). However, this is unrealistically precise for  $^{14}\text{C}$  ages with analytical age errors greater than 50  $^{14}\text{C}$  years (Stuiver et al., 2005). Hence, I round all the calibrated ages to the nearest 10 years as recommended by the Calib Manual.

The calibrated calendar age is highly recommended by some studies (e.g., Telford et al., 2004) to be displayed as an age range covering the full probability distribution. This approach is adopted here by using an error box representing each sea-level index point where its width represents the total age error. However, for practical purposes (e.g., calculation of trend curves) a point of central tendency needs to be assigned within each

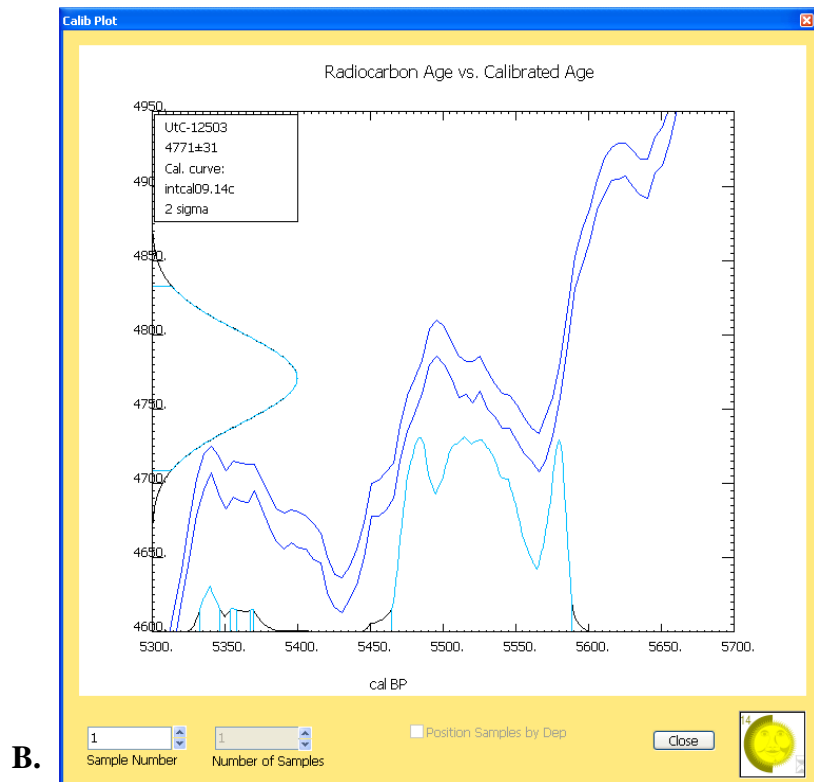
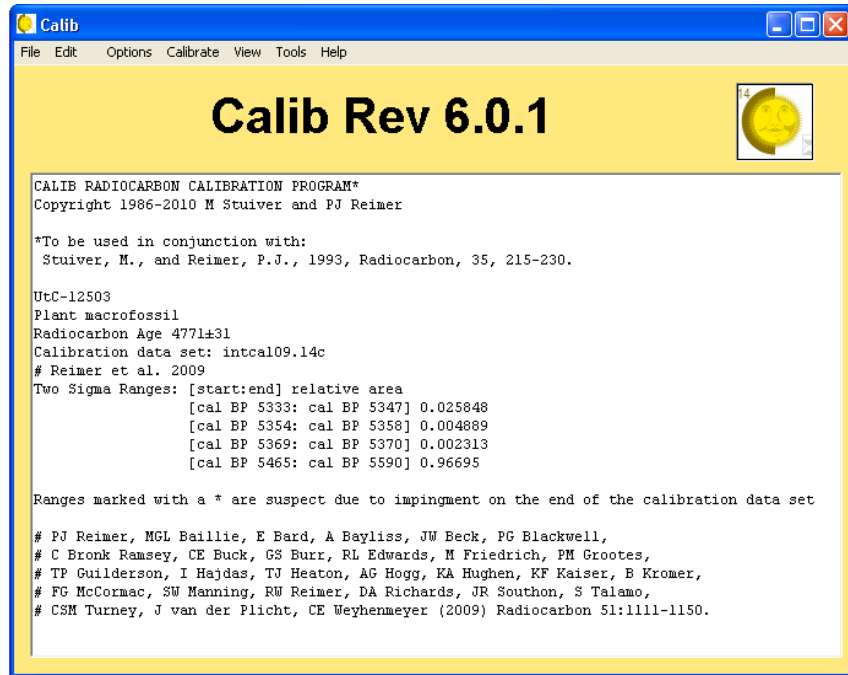




Figure 16. A, B. Example of a  $^{14}\text{C}$  age calibration result, in tabulated and graphical format, respectively; C. sea-level index point UtC-12503 plotted as an error box with a weighted mean age (open triangle); the arithmetic mean age (filled circle) is shown for comparison.

error box. The weighted mean of the full probability distribution of the calibrated calendar age is chosen as the central point of the total age range as recommended by Telford et al. (2004). For example, index point UtC-12503 (Törnqvist et al., 2004a) has multiple  $2\sigma$  calibrated age ranges with highly variable probability densities (Fig. 16A, B). The weighted mean of this age probability distribution is 5520 cal yr BP ( $=0.025848 \times (5333+5347)/2 + 0.004889 \times (5354+5358)/2 + 0.002313 \times (5369+5370)/2 + 0.96695 \times (5465+5590)/2$ ) and differs by 60 years from the arithmetic mean (5460 cal yr BP) as derived from the upper and lower limit of the  $2\sigma$  calibrated age range (Fig. 16A, C).

## 2.6 Database Structure

The sea-level database consists of three spreadsheets, including (1) a main spreadsheet with all sea-level index points and limiting data points, (2) a spreadsheet with subsamples for cases where the  $^{14}\text{C}$  age in the main spreadsheet is the weighted mean of  $^{14}\text{C}$  measurements of multiple subsamples, and (3) a spreadsheet with rejected data with the reason of rejection listed. All three spreadsheets contain information with regard to the following four aspects: geographic location, descriptive information, age, and elevation. A set of examples is used here to illustrate this structure (Tables 5 through 10).

In order to locate any single sea-level index point or limiting data point in this database geographically, both the general location and the decimal longitude and latitude of the sampling sites are provided (Table 5). The general location of a single sea-level indicator is a relevant geographic name from the region (e.g., a city or county name). The



longitude and latitude of each data point are either directly adopted or converted from the format in the original study. Both the original location data and the converted decimal longitude-latitude (long/lat) data are listed for each entry.

The descriptive information (Table 6) includes 1) a reference to the original study from which the data originate (multiple sources are listed for cases where original information has been updated or augmented in subsequent studies), 2) sample name, 3) sampling method, 4) material dated, 5) dated facies, 6) overburden facies, and 7) underlying facies. The first two entries, combined with radiocarbon laboratory code (see the following paragraph), help to identify the data point. Entries 3 and 4 contribute to determining sample thickness and sampling error. Entry 4 is also consulted when assigning the non-analytical radiocarbon dating errors. Entries 4, 5, 6 and 7 together provide qualitative information relevant to compaction effects.

The next portion of the database (Table 7) refers to age. This includes the radiocarbon laboratory code, number of subsamples, the  $^{14}\text{C}$  age followed by the laboratory error, the bulk error, the reservoir correction and its associated error, the  $\delta^{13}\text{C}$  measurement by the original study, the isotopic fractionation correction based on the nature of the dated material followed by its associated error, the corrected  $^{14}\text{C}$  age and error, and the  $2\sigma$  confidence limits of the calibrated calendar age followed by the arithmetic mean with age error, plus the weighted mean.

Data relevant to elevation can be subdivided into three parts, including the measured/estimated elevation/depth (Table 8), the tidal data (Table 9), and the vertical uncertainties (Table 10). The elevation-related measurements include the overburden thickness, the depth to underlying consolidated strata, the land/water surface elevation, depth of the top, base, and midpoint of the sample below the surface, elevation of the top, base, and midpoint of the sample relative to the geodetic frame as defined in the original study, followed by the sample midpoint elevation relative to the geodetic vertical datum NAVD 88. It is worth noticing that the two columns of midpoint elevation are different if the original geodetic frame is not with respect to NAVD 88. For instance, the midpoint elevation of sample O-2246 (Frazier, 1974) is -0.05 m relative to MSL in the original study. Since the nearest tide gauge shows that the present MSL is 0.32 m above NAVD 88, the sample midpoint elevation relative to NAVD 88 becomes  $-0.05 + 0.32 = 0.27$  m NAVD 88. The next item is paleo mean sea level relative to NAVD 88 which is calculated based on the elevation of the sample midpoint and the reference water level. The type and elevation of the tide level used as the reference water level for each data point are listed right after the elevation measurement columns, followed by the National Geodetic Survey (NGS) tide-gauge station code. The nearest tide gauge to a sampling site is used to obtain tide levels. The subsequent entries are all the tide levels used. Following are uncertainty entries including indicative range, indicative range error, sample thickness, decompacted sample thickness, sampling error, core shortening/stretching error, non-vertical drilling error, land surface surveying method and errors, and total elevation error and uncertainty.

**Table 5. Structure of the sea-level database: geographic location**

General location	Latitude/Longitude - decimal degree		Latitude/Longitude - degree/minute/second		UTM Coordinates				Public Land Survey System				Descriptive location
	N	E	N	W	Zone	Northing	Easting	Datum	Township	Range	Section	Quadrant	
St. James Parish, LA	30.0640	-90.6830			15	3327.940	723.370	NAD 27					
St. Mary Parish, LA	29.6978	-91.4669			15	3286.280	648.320	NAD 83					
St. Mary Parish, LA	29.8508	-91.7318			15	3302.927	622.500	NAD 83					
Schooner Bayou Canal, LA	29.732	-92.337	29°43.9'	92°20.1'									
Lafourche Parish, LA	29.309	-89.818							21 S	26 E	1	on the beach ridge in center	
Iberia Parish, LA	29.9255	-91.2158							13 S	12 E	23	2100 ft S., 1600 ft E. of NW corner	
Bayou Sale, LA	29.64	-91.54											Bayou Sale
Creole Canal, LA	29.88	-93.08											from map location
Offshore Galvesto, TX	29.643	-93.778	29°38.6'	93°46.7'									
Orleans Parish, LA	29.8587	-90.0306							14 S	24 E	89	200 ft S., 1200 ft E. of NW corner	
Orleans Parish, LA	29.9160	-90.0728							13 S	24 E	2	100 ft S., 300 ft W. of NE corner	
Jefferson Parish, LA	30.0273	-90.2787							12 S	9 E	10	500' S., 200' E. of NW corner	

**Table 6. Structure of the sea-level database: descriptive information**

Reference	Sample name	Sampling method	Material dated	Dated facies	Oerburden facies	Underlying facies (nearest layer)
Törnqvist et al. (2004a)	Gramercy VIII-1	Hand coring	>10 charcoal fragments	humic clay	silty clay and silt loam	Paleosol on Pleistocene deposit
Törnqvist et al. (2006)	Bayou Sale I-1	Hand coring	15 <i>Carex peryginum</i> type achenes	humic clay	mainly silty clay loam	Paleosol on Pleistocene deposit
González and Törnqvist (2009)	Patout Canal IV-1	Hand coring	charcoal fragments	peat	anthropogenic fill	Paleoso on compaction-free Holocene deposit
Frazier (1974)		boring	Brackish-marsh peat		(near surface)	marsh silty clay and peat
Brannon et al. (1957); McFarlan (1961)		boring	Wood		shoreline of the Teche delta	fine-grained sand
Kulp et al. (1952); McFarlan (1961)		core	Wood			Bay deposit
Coleman and Smith (1964)	13	boring	Peat		deltaic sediment interbedded by peat layers	
Gould and McFarlan (1959)	38-I	control boring	Organic clay and silt		organic clay and silt	mix grained sediment with oyster-reef detritus
Nelson and Bray (1970)	70	rotary core	Peat		mix grained sediment containing shell fragments	Pleistocene deposit
Broecker et al. (1956); McFarlan (1961)		core	Marine pelecypod shells		shallow shelf deposit	shallow shelf deposit
Broecker and Kulp (1957); McFarlan (1961)		core	Marine shells (mostly <i>Crassostrea</i> , <i>Crepidula</i> , <i>Mytilus</i> , and <i>Balanus</i> fragments)		fine sand	silty clay
McFarlan (1961)		core	<i>Arca</i> shells			shallow shelf deposit

**Table 7. Structure of the sea-level database: radiocarbon age and calibration**

Laboratory Code	Number of sub-samples	<sup>14</sup> C age (yr BP)	<sup>14</sup> C error (yr)	Bulk error (yr)	ΔR (yr)	ΔR error (yr)	δ <sup>13</sup> C (‰)	Isotopic fractionation correction (yr)	Isotopic fractionation error (yr)	Corrected <sup>14</sup> C age (yr BP)	Corrected <sup>14</sup> C error (yr)	Calibrated age - younger limit (cal yr BP)	Calibrated age - older limit (cal yr BP)	Calibrated age - arithmetic mean (cal yr BP)	Calibrated age error (cal yr)	Calibrated age - weighted mean (cal yr BP)
UtC-11161		5795	46	0	0	0	-19.1	0	0	5795	46	6490	6730	6610	120	6590
UtC-12505		6997	40	0	0	0	-26.7	0	0	6997	40	7730	7930	7830	100	7830
UtC-12808/12809	2	295	21	0	0	0	-25.4/ -25.7	0	0	295	21	300	430	365	65	370
O-2246		350	100	100	0	0		120	40	470	147	0	720	360	360	470
O-111		3550	120	0	0	0		-20	50	3530	130	3470	4150	3810	340	3810
L-125A		2900	300	0	0	0		-20	50	2880	304	2320	3830	3075	755	3040
O		7240	160	100	0	0		60	110	7300	218	7630	8580	8105	475	8120
		1000	100	100	0	0		60	110	1060	179	560	1350	955	395	990
SM-220		7840	250	100	0	0		60	110	7900	291	8060	9500	8780	720	8820
L-175E		5350	550	100	400	100		380	50	5330	570	4730	7420	6075	1345	6120
L-291B		7870	170	100	400	100		380	50	7850	227	8200	9290	8745	545	8770
O-226		4840	130	0	400	100		380	50	4820	171	5050	5920	5485	435	5540

**Table 8. Structure of the sea-level database: elevation**

Overburden thickness (m)	Depth to consolidated underlying strata (m)	Land/water surface elevation (m)	Depth below land/water surface - top (m)	Depth below land/water surface - base (m)	Depth below land/water surface - midpoint (m)	Sample elevation - top (m)	Decompacted sample elevation - top (m)	Sample elevation - base (m)	Sample elevation - midpoint (m)	Decompacted sample elevation - midpoint (m)	Sample elevation - midpoint (m NAVD)	Decompacted sample elevation - midpoint (m NAVD)	Paleo MSL (m NAVD)	Decompacted paleo MSL (m NAVD)
7.84	0.00	1.89	7.84	7.87	7.86	-5.95	-5.91	-5.98	-5.97	-5.94	-5.97	-5.94	-6.37	-6.34
11.56	0.00	0.27	11.56	11.58	11.57	-11.29	-11.26	-11.31	-11.30	-11.29	-11.30	-11.29	-11.70	-11.69
1.67	0.00	1.39	1.67	1.69	1.68	-0.28	-0.25	-0.30	-0.29	-0.28	-0.29	-0.28	-0.69	-0.68
0.00		0.10	0.00	0.30	0.15	0.10	0.55	-0.20	-0.05	0.18	0.26	0.49	-0.49	-0.26
1.98		0.00	1.98	2.29	2.14	-1.98	-1.52	-2.29	-2.14	-1.90	-1.91	-1.67	-2.14	-1.90
7.62		0.91			7.62				-6.71		-6.48		-6.71	
11.84		0.00	11.84	12.14	11.99	-11.84	-11.39	-12.14	-11.99	-11.77	-11.76	-11.54	-11.99	-11.77
0.41	3.90	0.32			0.41				-0.09		0.22		-0.09	
22.10	0.00	0.00	22.10	22.30	22.20	-22.10	-21.80	-22.30	-22.2	-22.05	-21.89	-21.74	-22.20	-22.05
21.03		0.00			21.03				-21.03		-20.80		-21.03	
31.70		4.27			31.70				-27.43		-27.20		-27.43	
15.24		0.00			15.24				-15.24		-15.01		-15.24	

**Table 9. Structure of the sea-level database: tidal data**

<b>Tide gauge code</b>	<b>HAT (m NAVD)</b>	<b>MHHW (m NAVD)</b>	<b>MHW (m NAVD)</b>	<b>MTL (m NAVD)</b>	<b>MSL (m NAVD)</b>	<b>MLW (m NAVD)</b>	<b>MLLW (m NAVD)</b>	<b>Spring tidal range (m)</b>	<b>Reference water Level</b>	<b>Elevation of reference water level (m NAVD)</b>
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	(HAT+MTL)/2	0.40
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	(HAT+MTL)/2	0.40
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	(HAT+MTL)/2	0.40
NGS8767816	1.20	0.50	0.47	0.31	0.32	0.16	0.09	1.11	(HAT+MTL)/2	0.75
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23
NGS8767816	1.20	0.50	0.47	0.31	0.32	0.16	0.09	1.11	MTL	0.31
NGS8767816	1.20	0.50	0.47	0.31	0.32	0.16	0.09	1.11	MTL	0.31
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23
NGS8761927	0.57	0.31	0.31	0.23	0.23	0.16	0.16	0.41	MTL	0.23

**Table 10. Structure of the sea-level database: vertical errors**

Indicative range (m)	Indicative range error (m)	Sample thickness (m)	Decompacted sample thickness (m)	Sampling error (m)	Core shortening/ stretching error (m)	Non-vertical drilling error (m)	Land surface surveying method	Surveying error (m)	GPS error (m)	Elevation estimation error (m)	Tide error (m)	Total elevation error (m)	Total elevation uncertainty (m)
0.21	0.10	0.03	0.08	0.02		0.08	Total Station; DGPS	0.03	0.04			0.14	0.18
0.21	0.10	0.02	0.05	0.02		0.12	Total Station; DGPS	0.03	0.04			0.16	0.19
0.21	0.10	0.02	0.05	0.02		0.02	Total Station; DGPS	0.01	0.05			0.12	0.14
0.56	0.28	0.30	0.75	0.10	0.02	0.00	topo map			0.75	0.56	0.98	1.35
		0.31	0.78	0.10	0.32	0.02	topo map			0.75	0.21	0.85	1.23
		1.00	2.50	0.10	1.14	0.08	topo map			0.75	0.21	1.39	2.64
		0.30	0.75	0.10	1.80	0.12	topo map			0.75	0.21	1.97	2.34
		1.00	2.50	0.10	0.05	0.00	Cross Section Profile			0.75	0.56	0.94	2.19
		0.20	0.50	0.10	3.33	0.22	"present sea-level"			0.00	0.56	3.38	3.63
		1.00		0.10	3.15	0.21	topo map			0.75	0.21	3.26	3.76
		1.00		0.10	4.76	0.32	topo map			0.75	0.21	4.83	5.33
		1.00		0.10	2.29	0.15	topo map			0.75	0.21	2.42	2.92



### **Chapter 3 Testing Hypotheses about Holocene Sea-Level Change**

One of the main applications of the quality-controlled sea-level database is to test conflicting hypotheses about the Holocene RSL history in the Gulf of Mexico. A relationship of age vs. depth extracted from Holocene basal-peat records in the Mississippi Delta illustrates a pattern of continuous RSL rise from 10 m below present to the present level during the past 8000 years, with the rate of RSL decreasing (Fig. 17; Törnqvist et al., 2004a, 2006; González and Törnqvist, 2009). This has been interpreted to result predominantly from eustatic sea-level rise prior to 7000 cal yr BP, combined with an ongoing glacio-isostatic forebulge collapse of the Gulf Coast in response to the melting of the Laurentide Ice Sheet (Törnqvist et al., 2004a).

According to the glacial isostatic adjustment (GIA) hypothesis, those portions of the North American continent that were covered by ice and isostatically depressed during the last glacial are currently rebounding. In contrast, regions at larger distance from the former ice margin such as the US Gulf Coast experienced uplift during glaciation followed by subsidence (forebulge collapse) (e.g., Peltier, 2004).

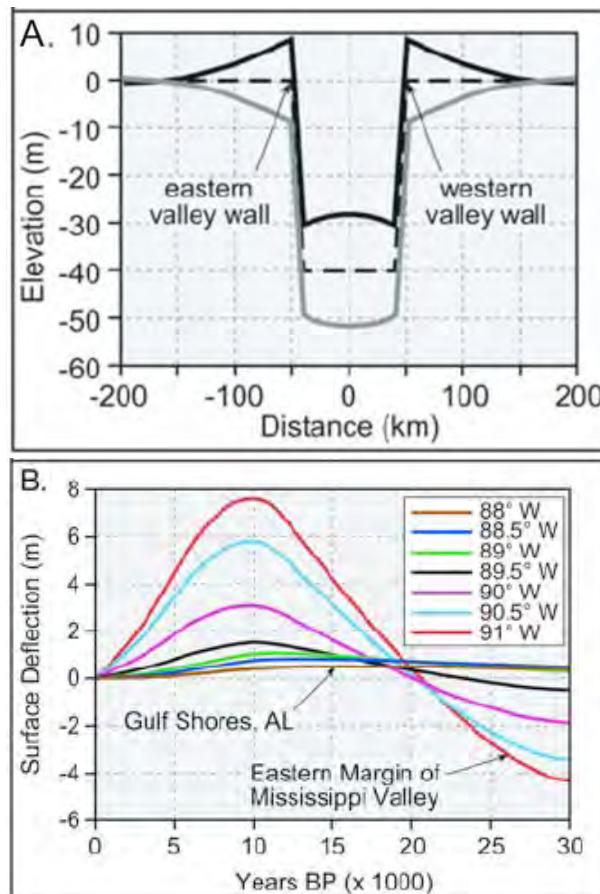
On the other hand, data obtained from beach ridges suggest a middle Holocene RSL highstand up to 2 m above present mean sea level around 6000 years ago (Fig. 17; Blum



et al., 2001) which would be at odds with the GIA hypothesis. To address this conflict, a 1-D steady-state and a 3-D visco-elastic flexural isostatic model was proposed by Blum et al. (2008) to simulate the effects of cyclic sediment loading/unloading on vertical land surface motions. These models were run under boundary conditions (i.e., 40 m for the thickness of sediments, 80 km for the valley width, and  $1.8 \text{ g/cm}^3$  for the sediment density) constrained by the history of Lower Mississippi Valley incision and filling over the past 30,000 years, as well as estimated earth parameters (i.e., 30 km for the effective elastic thickness of the lithosphere, plus a value of  $4 \times 10^{20} \text{ Pa s}$  for upper mantle (above 670 km depth) viscosity and  $3 \times 10^{22} \text{ Pa s}$  for lower mantle viscosity).

Results from the 1-D elastic model indicate that a subsidence of 9 to 12 m (from the margin to the center of the valley) can be caused by the sediment loading, followed by the same magnitude of uplift resulting from sediment unloading (Fig. 18A). The 3-D viscoelastic model gives a similar magnitude of surface deflection as the 1-D model and rates of subsidence/uplift of 0.8 to 1 mm/yr (Fig. 18B). In both models, the subsidence/uplift dissipates over a distance of 100 km from the valley margin (Fig. 18A, B). Assuming that eustatic sea level had reached the present level prior to 6000 cal yr BP, the amount of subsidence caused by sediment loading in the Lower Mississippi Valley would be adequate to induce about 6 m of RSL rise as recorded by the basal-peat records.

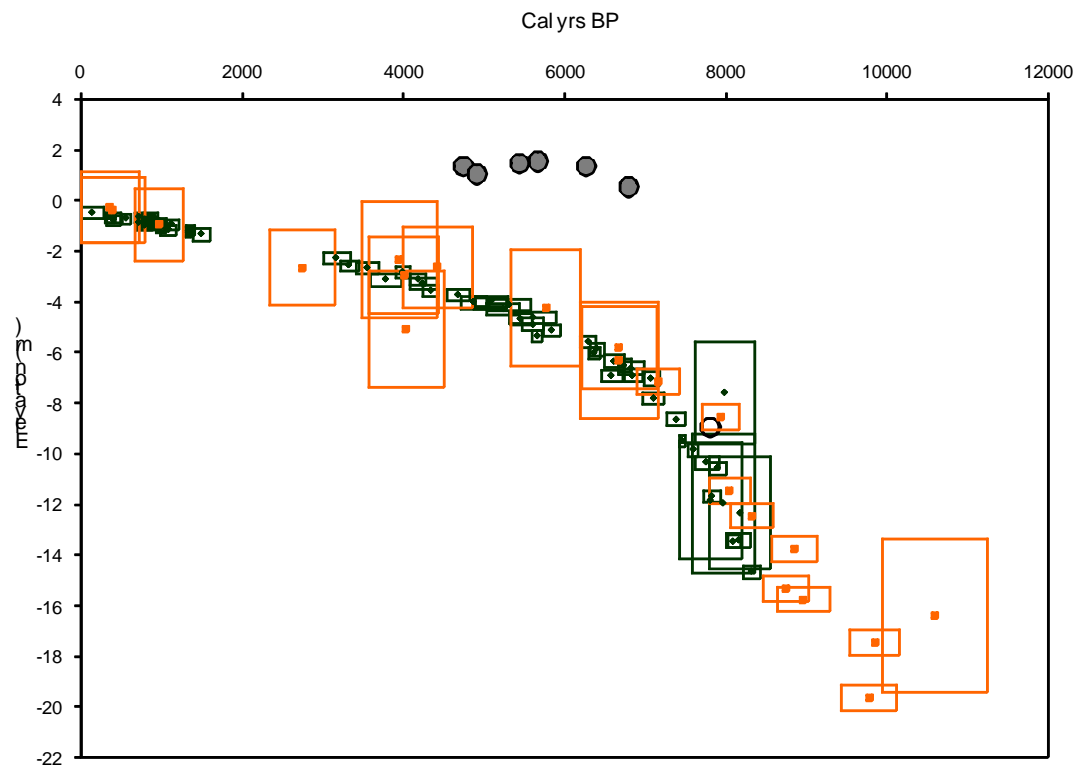
Testing of the flexural model involves comparing sea-level index points from southwestern Louisiana >100 km away from the Mississippi paleovalley margin with



**Figure 18. A. 1-D flexural uplift and subsidence model. Maximum surface deflection applied to a hypothetical land surface that simulates the northern Gulf of Mexico shoreline. Dashed line approximates the Pleistocene-Holocene contact in the Lower Mississippi Valley. Black line and grey line illustrate the uplift and subsidence due to the unloading and loading by sediment, respectively. B. 3-D visco-elastic uplift and subsidence model. Plots of surface deflection through time at different locations along the Gulf of Mexico shoreline, illustrating uplift followed by subsidence in response to unloading then loading, with dissipation of the signal with distance along the shoreline (Blum et al., 2008).**

RSL records from the Mississippi Delta. The idea is that if the flexural model is correct, Holocene RSL data away from the Mississippi Delta should not be subject to the subsidence induced by sediment loading and would exhibit a distinctly different trend than those from the Mississippi Delta, assuming other geologic conditions are similar. Sea-level index points used for this comparison study are basal-peat samples. Peat samples within 50 cm of the consolidated substrate are considered as “basal” here since the extent of compaction effects is believed not to be significant. Peat records from Milliken et al. (2008) do not have information about the depth to the consolidated Pleistocene basement. However it is claimed in the original study that the peat samples are basal. Thus, these data are included in this analysis.

By plotting error-estimated data of basal-peat records from previous studies in the Chenier Plain, southwestern Louisiana (Gould and McFarlan, 1959; Frazier, 1974; Milliken et al, 2008), it is found that RSL change during the past 8000 years from the area outside the realm of flexural movement is consistent with the RSL history in the Mississippi Delta as recorded by Coleman and Smith (1964), Frazier (1974), Törnqvist et al. (2004a, 2004b, 2006) and González and Törnqvist (2009) (Fig. 19). This result supports the hypothesis that the RSL rise along the Gulf of Mexico is mainly controlled by glacial isostatic adjustment.



**Figure 19.** Comparison between basal-peat data from the Mississippi Delta (Coleman and Smith, 1964; Frazier, 1974; Törnqvist et al., 2004a, 2004b, 2006; González and Törnqvist, 2009) and the Chenier Plain (Gould and McFarlan, 1959; Frazier, 1974; Milliken et al, 2008). Black diamonds and boxes: basal-peat data from the Mississippi Delta; orange squares and boxes: basal-peat data from the Chenier Plain.

## **Chapter 4 Conclusions**

A new sea-level database for coastal Louisiana incorporates more variables and associated error sources than previous studies, especially regarding age uncertainties (i.e., bulk error, reservoir error, and isotopic fractionation correction). The protocols proposed in this thesis should provide valuable guidelines for the construction of a standardized sea-level database for a larger region.

This new quantitative error evaluation protocol enables RSL data from different portions of coastal Louisiana to be compared, although errors are large for sea-level index points and limiting data points from early studies. Quality controlled RSL data from the Mississippi Delta cannot be distinguished from RSL records outside of the delta. This result validates that the entire area subsided in response to the glacial isostatic effects associated with the melting of the Laurentide Ice Sheet.

## Appendix

### The steps of the $\chi^2$ test in detail:

Since  $Age_{measured} = Age_{real} \pm Error_{analytical}$ , where  $Error_{analytical} \sim N(0, \sigma^2)$  (i.e. the probability distribution of analytical error has a normal function with 0 as the mean and  $\sigma$  as the standard deviation), thus

$Age_{measured} = Age_{real} \pm N(0, \sigma^2)$ . In Törnqvist et al. (1992),  $Age_{Bulk} = Age_{real} \pm N(0, 70^2)$

and  $Age_{Macrofossil} = Age_{real} \pm N(0, 80^2)$ . Because the real age is constant attributed to the

fact that it is the nature of the samples, we got  $Age_{Bulk} - Age_{Macrofossil} = 0 \pm N(0, 70^2 + 80^2)$ ,

i.e.,  $Age_{Bulk} - Age_{Macrofossil} \sim N(0, 70^2 + 80^2)$  under the assumption that the bulk and

macrofossil  $^{14}\text{C}$  age distributions are independent to each other (the rationale behind it is

that independent normal distributions  $N_1(\mu_1, \sigma_1^2) \pm N_2(\mu_2, \sigma_2^2) = N(\mu_1 \pm \mu_2, \sigma_1^2 + \sigma_2^2)$ ).

The calculated Bulk peat minus Macrofossil age difference follows a normal distribution

with the mean as 0 and the standard deviation as 106 years ( $\approx \sqrt{70^2 + 80^2}$ ), implying that

both bulk peat and plant macrofossil  $^{14}\text{C}$  ages are representative enough for the real age

of the samples, and their analytical errors (i.e. the laboratory standard deviations) are

large enough to indicate the age uncertainties. On the other hand, the observed Bulk peat

minus Macrofossil age difference is approximately a normal distribution  $N(28, 145^2)$ .

Now the question is: Is it likely to obtain this observation if the Bulk peat minus

macrofossil age difference has the normal distribution as described above? In other words,



is it likely for the Bulk peat minus Macrofossil age difference to have the above normal distribution when  $N(28, 145^2)$  is observed?

To answer the above questions, let's first make a null hypothesis ( $H_0$ ):  $\sigma^2 \leq 70^2 + 80^2$ , under the precondition that the Bulk peat minus Macrofossil age difference ( $D$ ) has a normal distribution  $N(\mu, \sigma^2)$ . Under  $H_0$ , each measurement of  $D$ ,  $D_i$  ( $i: 1 \sim 18$ ), has a normal distribution  $N(\mu, 70^2 + 80^2)$ , i.e.  $D_i \sim N(\mu, 70^2 + 80^2)$ . For the sample group of  $D$ , we observed that  $\sigma^2 = \frac{1}{18} \cdot \sum_{i=1}^{18} (D_i - \mu)^2 = 145^2$ . We want to know how probable a sample group's observed  $\sigma^2 \geq 145^2$  if the population's  $\sigma^2 \leq 70^2 + 80^2$ . In other words, we want to know  $P(\sigma^2 = \frac{1}{18} \cdot \sum_{i=1}^{18} (D_i - \mu)^2 \geq 145^2) = ?$ , where  $P$  represents the probability. And a  $\chi^2$  test can give the answer.

Before performing the  $\chi^2$  test, we need a  $\chi^2$  distribution. Thus the second step is to transform  $D_i \sim N(\mu, 70^2 + 80^2)$  to a  $\chi^2$  distribution. For any normal distribution  $D_i \sim N(\mu, \sigma^2)$ , we can get  $\frac{D_i - \mu}{\sigma} \sim N(0, 1)$ . Thus for  $D_i \sim N(\mu, 70^2 + 80^2)$ , we get  $\frac{D_i - \mu}{\sqrt{70^2 + 80^2}} \sim N$

$(0, 1)$ . Let  $X_i = \frac{D_i - \mu}{\sqrt{70^2 + 80^2}}$ , and  $Q = \sum_{i=1}^N X_i^2$ , then

$$Q = \sum_{i=1}^N \left( \frac{D_i - \mu}{\sqrt{70^2 + 80^2}} \right)^2 = \sum_{i=1}^N \frac{(D_i - \mu)^2}{70^2 + 80^2}. \text{ Because each } X_i (i = 1, 2, \dots, N) \text{ is independent}$$

(if each  $D_i$  is independent) and  $X_i \sim N(0, 1)$ ,  $Q$  has a  $\chi^2$  distribution, i.e.,

$$Q = \sum_{i=1}^N \frac{(D_i - \mu)^2}{70^2 + 80^2} = \frac{1}{70^2 + 80^2} \cdot \sum_{i=1}^N (D_i - \mu)^2 \sim \chi^2(N) \text{ (in our case, } N = 18\text{). Therefore, } P$$

$$(\sigma^2 = \frac{1}{18} \cdot \sum_{i=1}^{18} (D_i - \mu)^2 \geq 145^2) = P\left(\frac{1}{70^2 + 80^2} \cdot \sum_{i=1}^{18} (D_i - \mu)^2 \geq \frac{18 \times 145^2}{70^2 + 80^2}\right) = P(\chi^2(18) \geq$$

33.49) = 1.45%. This means, the probability to have a sample group's observed  $\sigma^2 \geq 145^2$  is only 1.45%, which is statistically less probable, if the population's  $\sigma^2 \leq 70^2 + 80^2$ . And hence,  $H_0$  should be refused, implying that the standard deviation of 106 years for  $D_i \sim N(\mu, \sigma^2)$  is underestimated and an extra error is necessary to add on. And the next question is: What should be added?

After rejecting the calculated value for the standard deviation of  $D_i \sim N(\mu, \sigma^2)$ , we can only rely on the observed value, 145 years, at this point. Thus the distribution becomes  $D_i \sim N(\mu, 145^2)$ . Let  $x$  be the extra error, then  $\sigma^2 = 145^2 = 70^2 + 80^2 + x^2$ . It comes out that  $x = \sqrt{145^2 - (70^2 + 80^2)} = 100$  (rounded to the nearest 10 years), which is assigned as the bulk error to radiocarbon measurement of bulk peat.

Test of the mean of the normal distribution of Bulk peat minus Macrofossil age differences:

Under the precondition that  $D_i \sim N(\mu, \sigma^2)$ , we make  $H_0: \mu = 0$ . Under  $H_0$ ,  $D_i \sim N(0, \sigma^2)$ .

While the observation is  $\frac{1}{18} \sum_{i=1}^{18} D_i = 28$ . The question is: if the mean of the normal

distribution of D is 0, what is the probability to observe the samples' mean equal or greater than 28?

As we already proved, it is  $\sigma=145$  for  $D_i \sim N(0, \sigma^2)$ . Thus under  $H_0$ ,  $D_i \sim N(0, 145^2)$ . Let

$$Y = \frac{1}{18} \sum_{i=1}^{18} D_i, \text{ thus, } Y \sim N\left(0, \frac{145^2}{18}\right). \text{ Then let's convert it to } \frac{Y-0}{\sqrt{\frac{145^2}{18}}} \sim N(0, 1). \text{ Since}$$

$$Y \geq 28, \frac{Y-0}{\sqrt{\frac{145^2}{18}}} \geq 0.8193. \text{ Then } P\left(\frac{1}{18} \cdot \sum_{i=1}^{18} D_i \geq 28\right) = P\left(\frac{Y-0}{\sqrt{\frac{145^2}{18}}} \geq 0.8193\right) = 20.61\%,$$

which is statistically significant, implying that with 0 as the mean of the distribution, it is still likely to observe the samples' average equal or greater than 28. Therefore,  $H_0$  should not be rejected. The implication is that both bulk peat and macrofossil radiocarbon measurements represent the real age to the same extent.

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**Biography**

Ping Hu started her study and research pursuing a Master's degree of Science at Tulane University since the Fall 2006. She spent four and half years to finish this program under the advice and help of her Advisor, Dr. Torbjörn Törnqvist and other faculty members in the Department of Earth and Environmental Sciences. In these four years, Ping strengthened her knowledge of Earth Science by successfully finishing courses and gained experiences of field work such as sampling sediment using hand coring, navigation using geographic/topographic maps and Global Position System, and land surface surveying using Total Station leveling system. She also became skilled at using scientific analytical applications such as MS Excel, ArcGIS, Calib, TOPO, etc. by finishing her Master's thesis of a database construction about the Holocene sea-level history along the Louisiana Gulf Coast. The four and half-year academic life at Tulane also helps Ping, who is an international student, to improve her communication skills in English.